

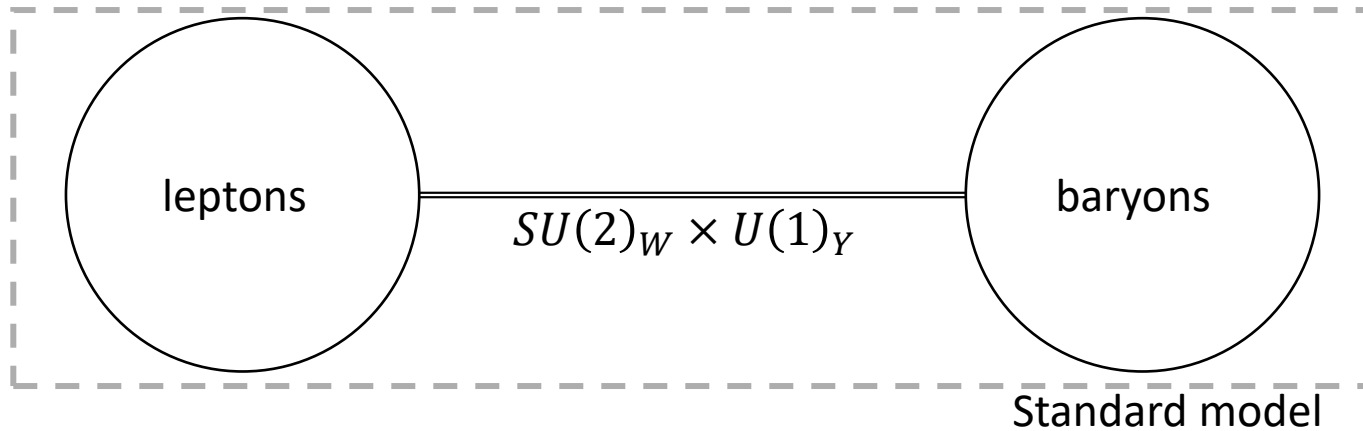
Composite Dirac neutrinos with QCD axion

Tae Hyun Jung

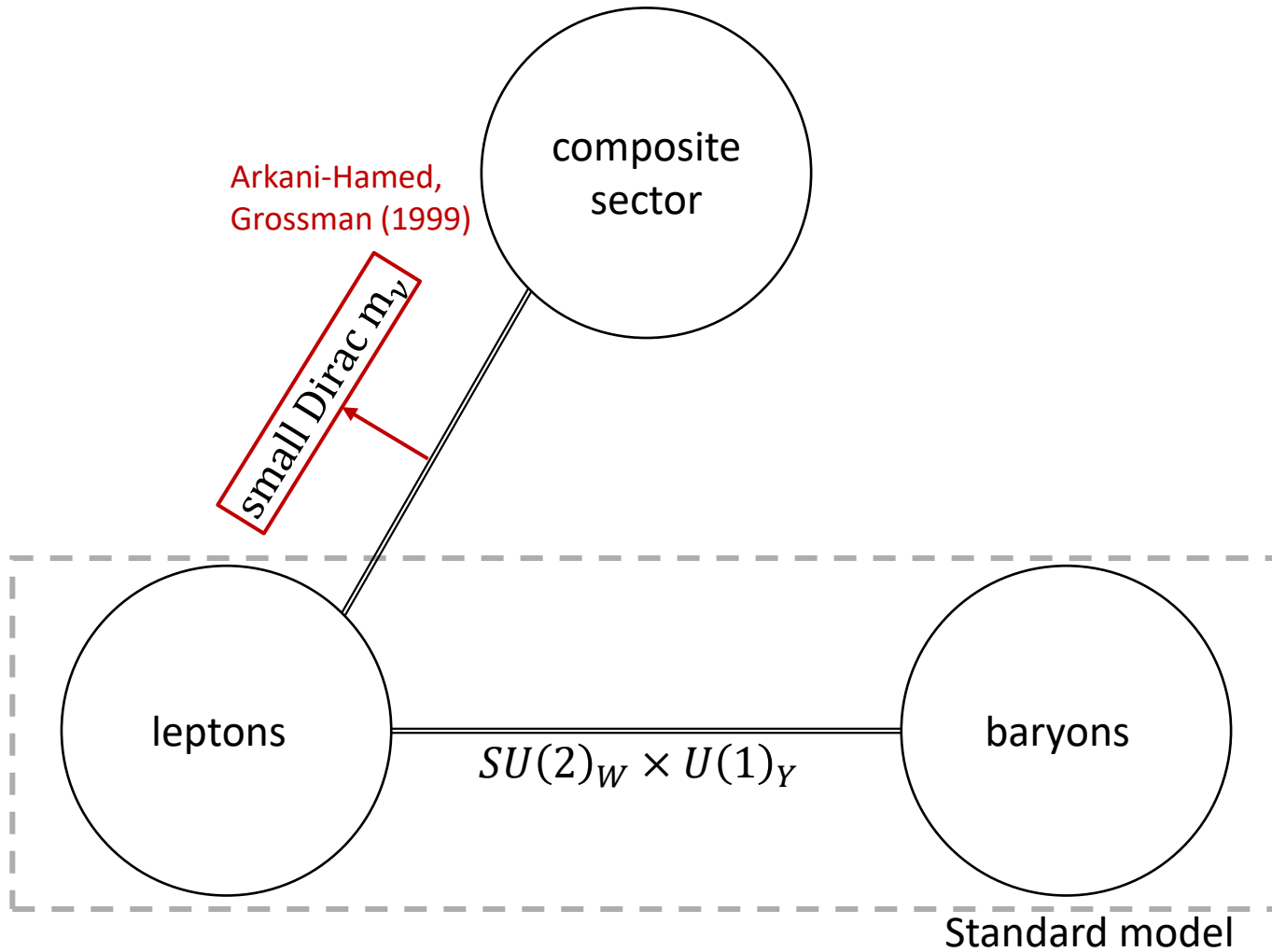
KIAS

Ref S. Chakraborty, THJ, T. Okui, arXiv: 2108.04293

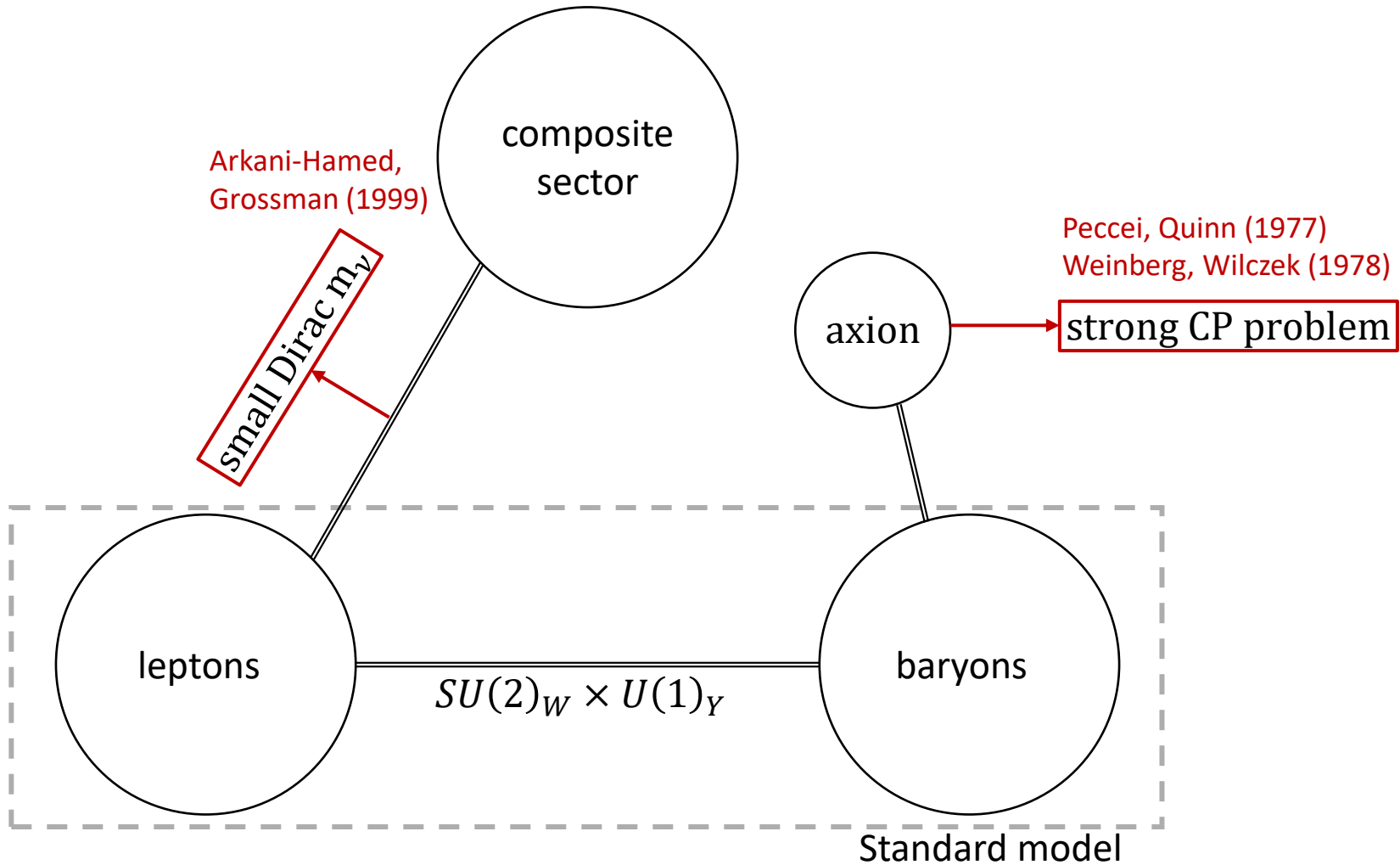
Outline of the model



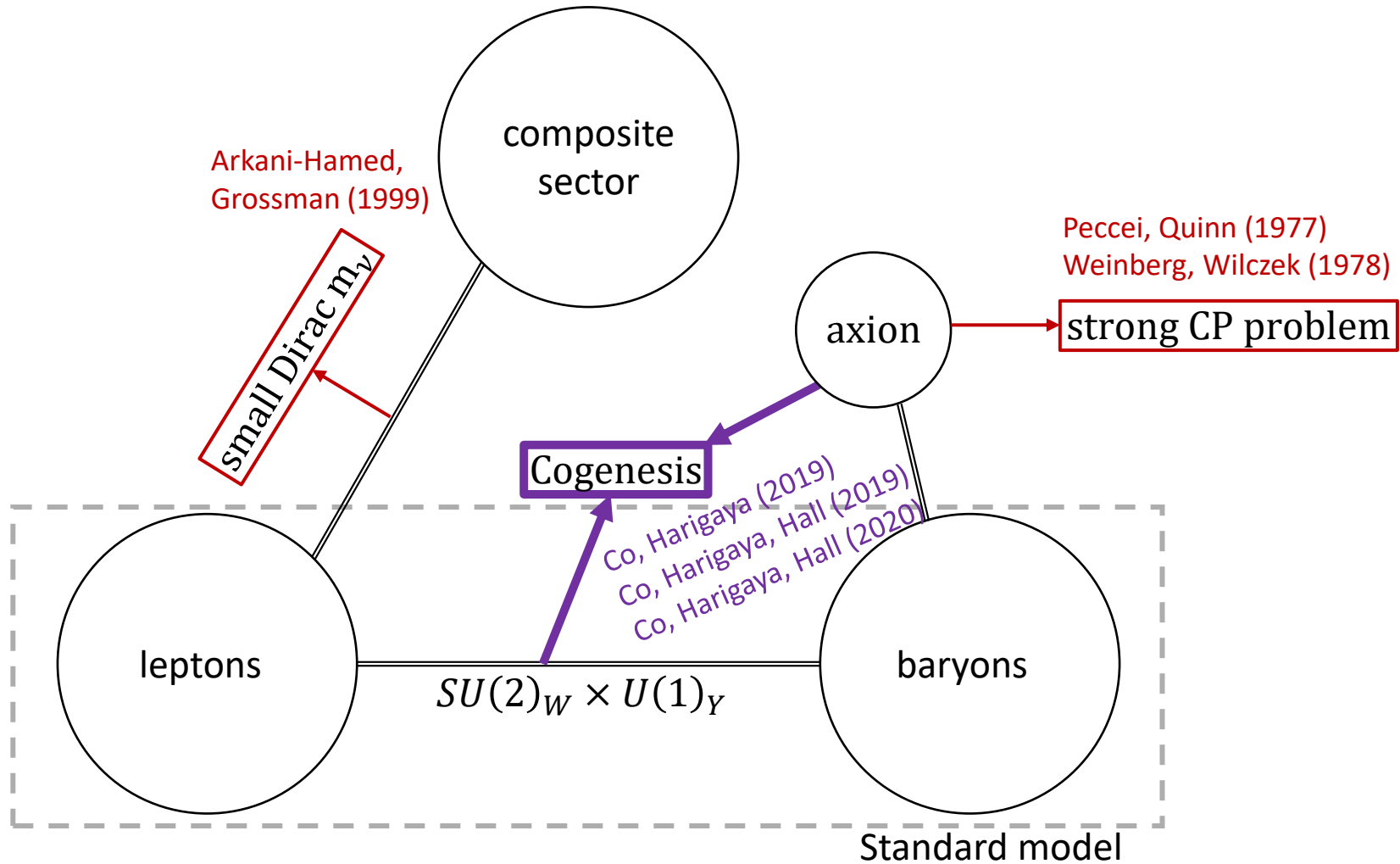
Outline of the model



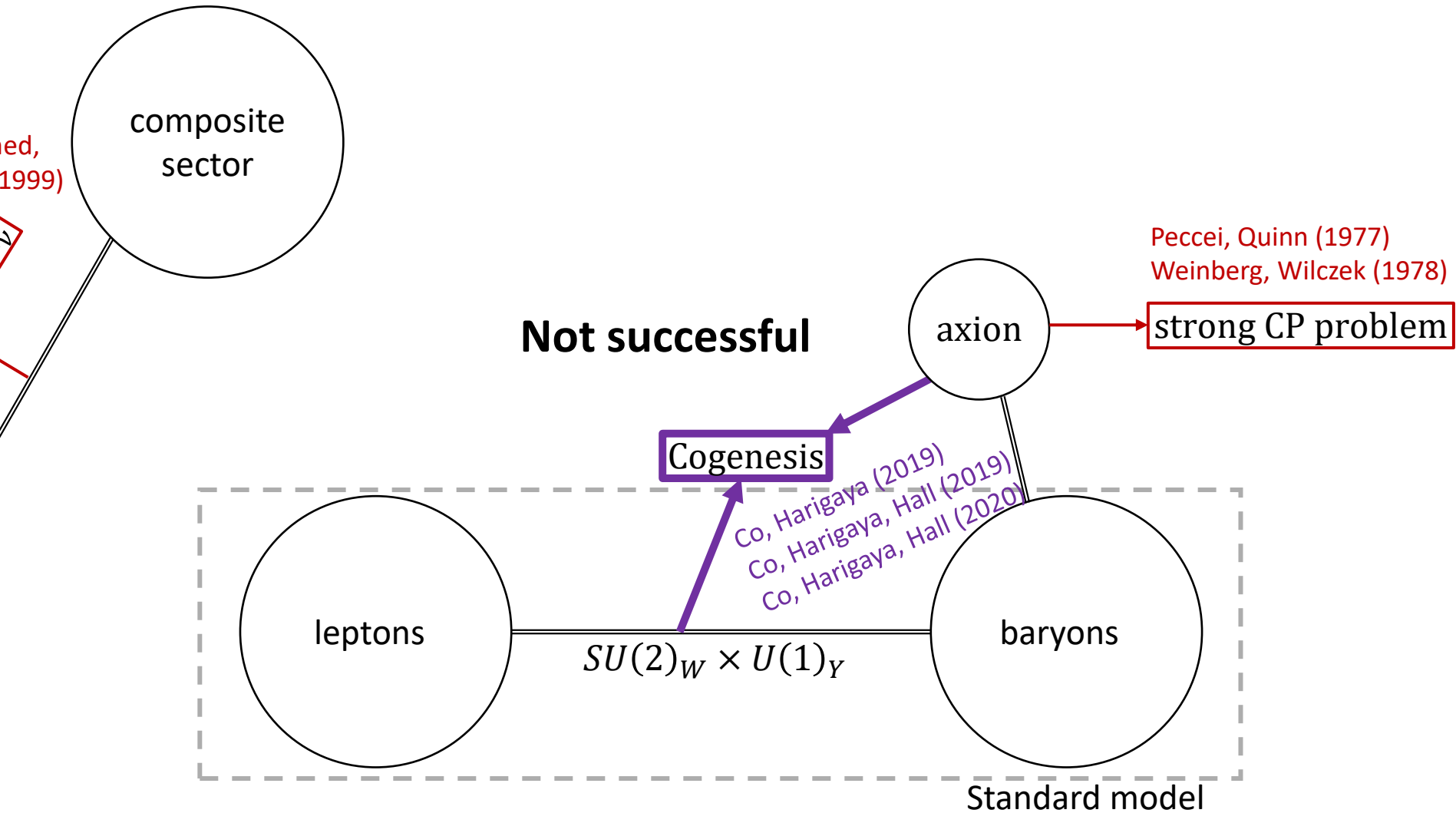
Outline of the model



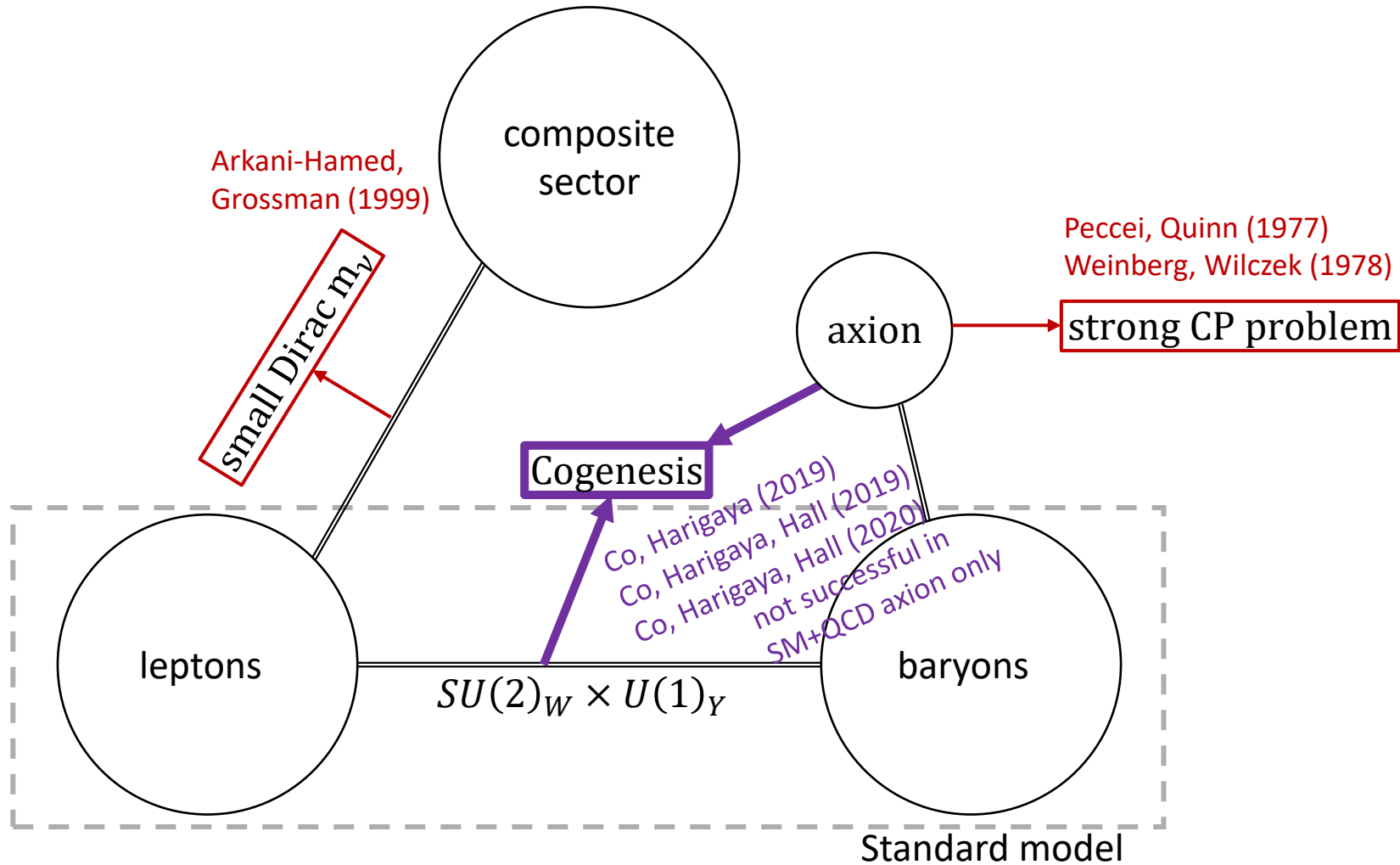
Outline of the model



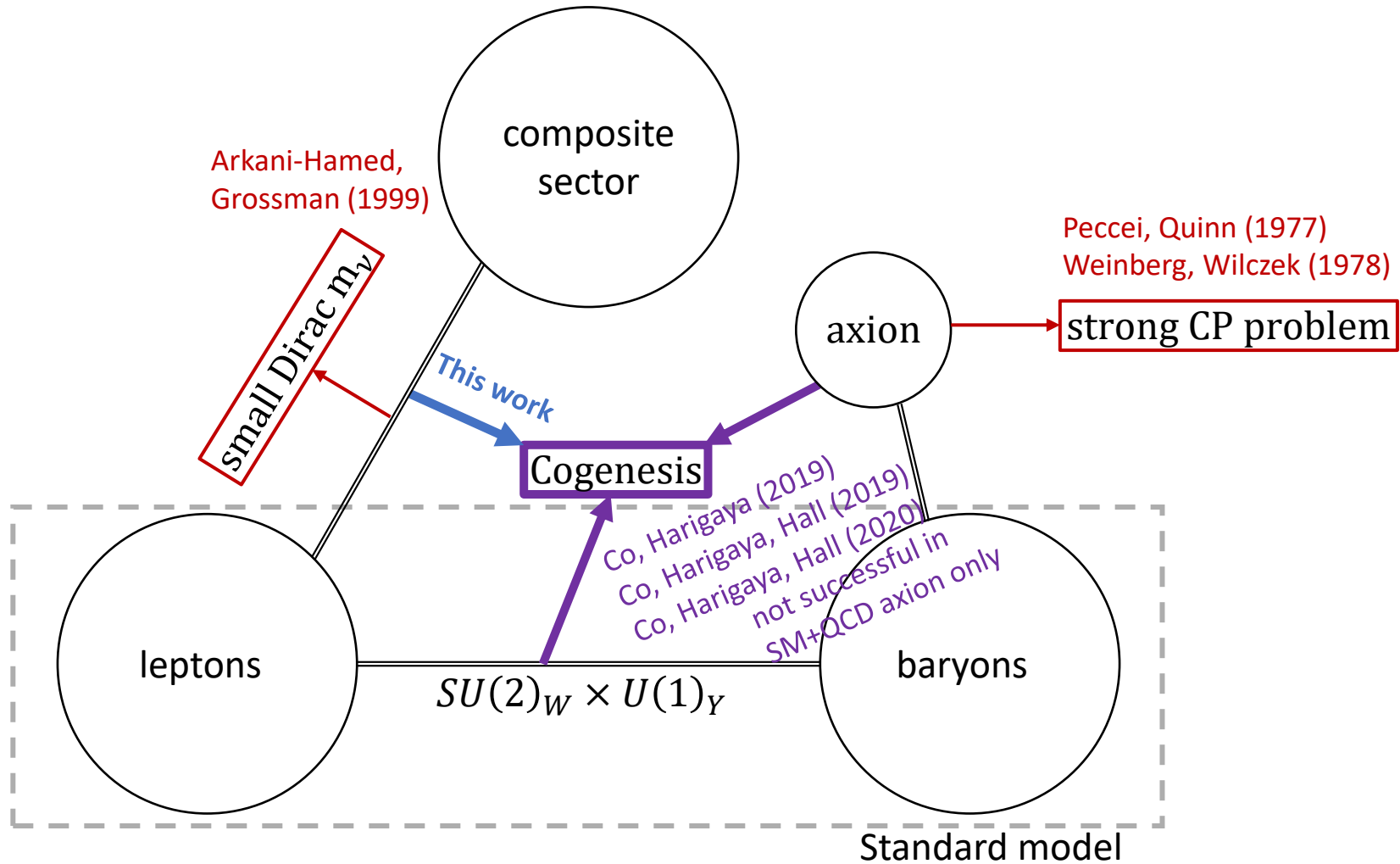
Outline of the model



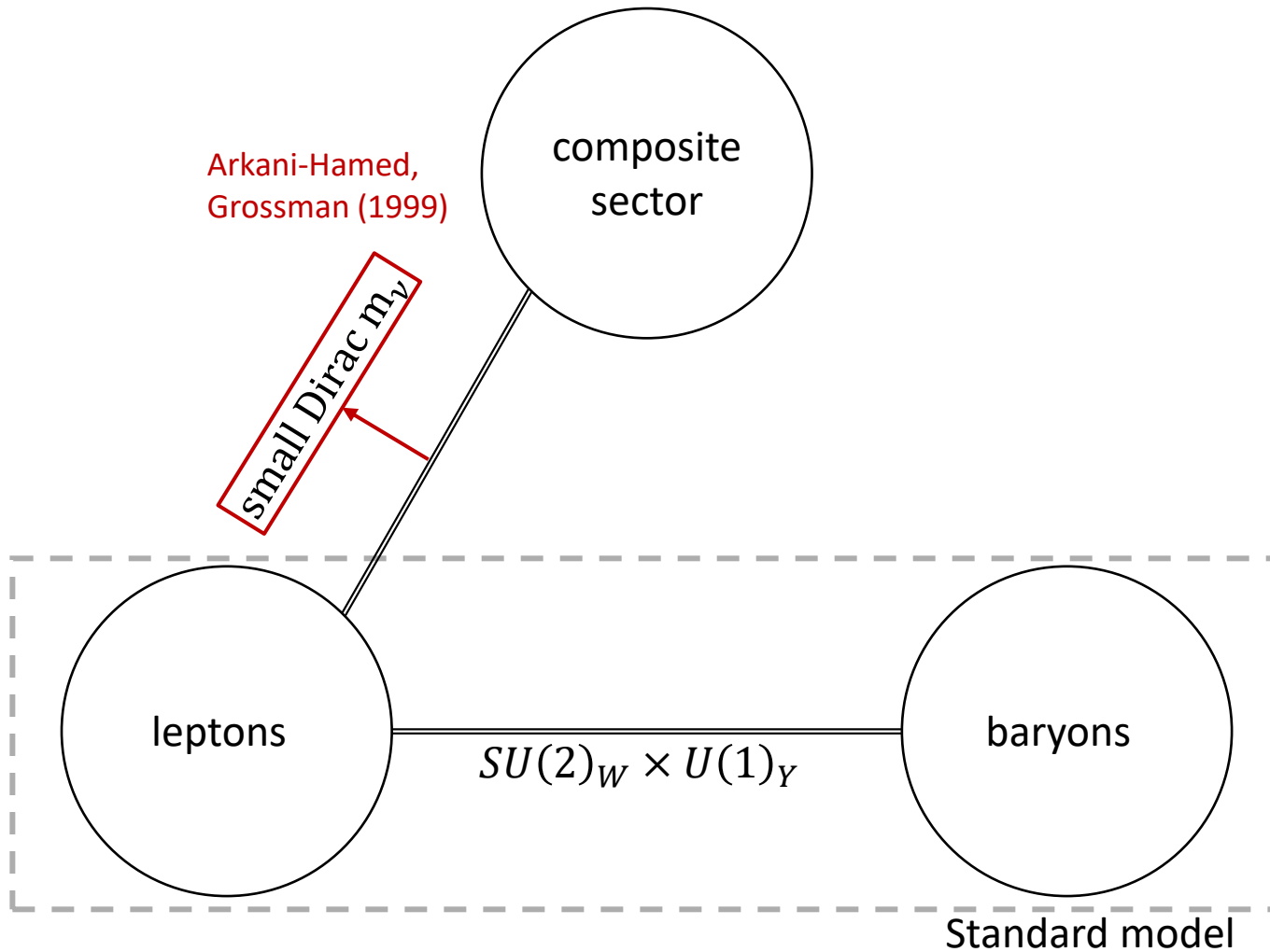
Outline of the model



Outline of the model



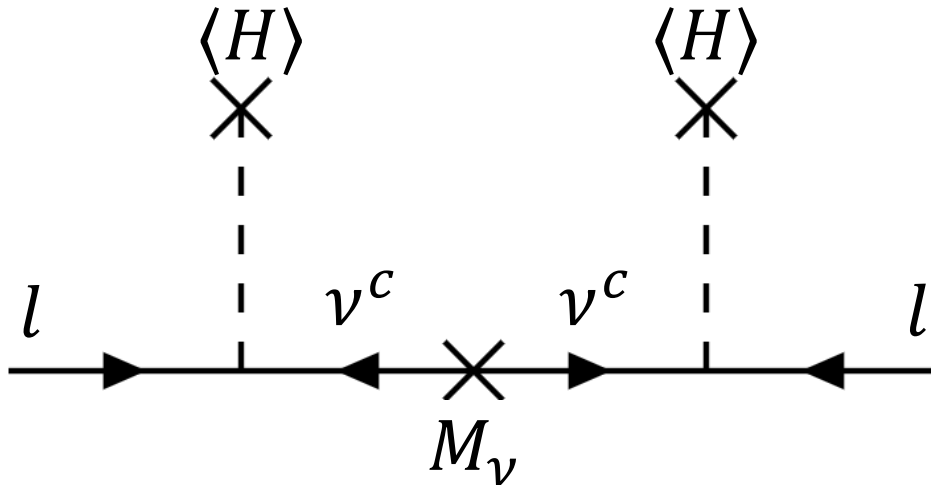
Composite Dirac neutrinos



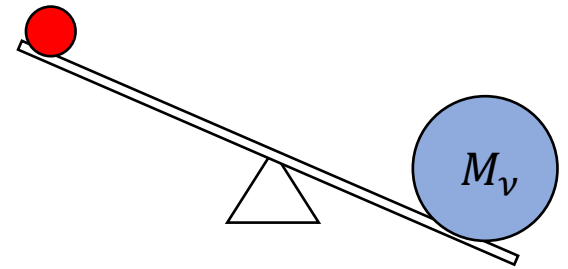
Why are neutrinos so light?

$$y_\nu H l \nu^c + \text{h. c.} + M_\nu \nu^c \nu^c$$

1. See-saw mechanism (Majorana neutrinos): $M_\nu \gg y_\nu v_h$



$$\Rightarrow m_\nu \sim \frac{y_\nu^2 v_h^2}{M_\nu}$$



$2. 0 \neq y_\nu < 10^{-13}$ without M_ν

N. Arkani-Hamed, Y. Grossman (1999)

Composite ν^c

Composite Dirac neutrinos

N. Arkani-Hamed, Y. Grossman (1999)

$$v^c \propto \psi\psi\chi$$

ψ, χ : fundamental Weyl fermions charged under a hidden non-Abelian gauge
 v^c : a composite Weyl fermion (like proton/neutron in QCD: $p \propto uud$, $n \propto udd$)

Effective description
after confinement

$$H l v^c$$

\leftrightarrow

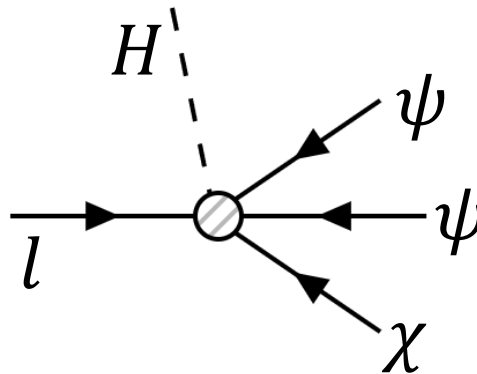
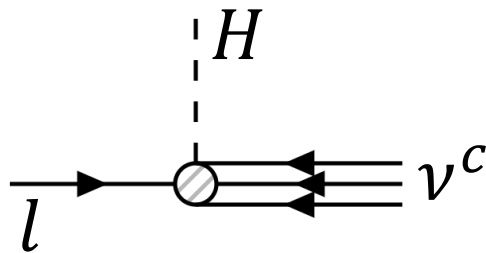
Fundamental description
before confinement

$$H l (\psi\psi\chi)$$

\longrightarrow Dim: 7

$$(\psi\psi\chi) \sim \Lambda_c^3 v^c$$

$$\text{Dim: } 3 \cdot \frac{3}{2}$$



$$y_\nu \sim \left(\frac{\Lambda_c}{M}\right)^3$$

$$\frac{\Lambda_c}{M} \sim 10^{-4} \Rightarrow m_\nu \sim 0.1 \text{ eV}$$

Q: How can those composite fermions remain massless?

cf) protons and neutrons

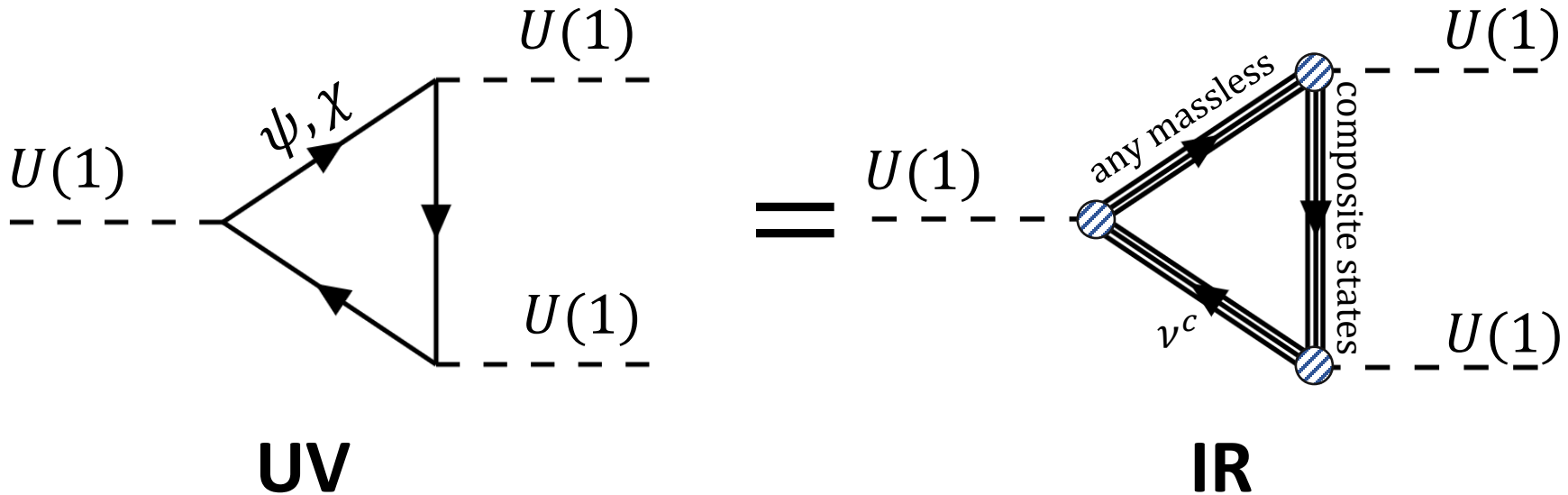
Composite Dirac neutrinos

Arkani-Hamed, Grossman (1999)

	Gauge	Global	
	$SU(6)$	$U(1)$	
ψ	$\bar{\mathbf{6}}$	$-2/3$	$\times 2$ (Two generation)
χ	$\mathbf{15}$	$1/3$	
$\nu^c \propto \psi\psi\chi$	$\mathbf{1}$	-1	$\times 3$ (Three generation)

How $\nu^c \propto \psi\psi\chi$ can be massless after confinement:

S. Dimopoulos, S. Raby, L Susskind (1980)
't Hooft anomaly matching conditions



Composite Dirac neutrinos

Arkani-Hamed, Grossman (1999)

	Gauge	Global	
	$SU(6)$	$U(1)$	
ψ	$\bar{\mathbf{6}}$	$-2/3$	$\times 2$ (Two generation)
χ	$\mathbf{15}$	$1/3$	
$\nu^c \propto \psi\psi\chi$	$\mathbf{1}$	-1	$\times 3$ (Three generation)

Does not gain mass
from the confinement \longrightarrow

Effective operator with SM: $\frac{1}{M^3} Hl (\psi\psi\chi) \rightarrow \frac{\Lambda_c^3}{M^3} Hl \nu_c$

Composite Dirac neutrinos

Arkani-Hamed, Grossman (1999)

Does not gain mass
from the confinement →

	Gauge	Global	
	$SU(6)$	$U(1)$	
ψ	$\bar{\mathbf{6}}$	$-2/3$	$\times 2$ (Two generation)
χ	$\mathbf{15}$	$1/3$	
$\nu^c \propto \psi\psi\chi$	$\mathbf{1}$	-1	$\times 3$ (Three generation)
l	$\mathbf{1}$	$+1$	$\times 3$ (Three generation)

Effective operator with SM: $\frac{1}{M^3} Hl (\psi\psi\chi) \rightarrow \frac{\Lambda_c^3}{M^3} Hl \nu_c$

Composite Dirac neutrinos

Arkani-Hamed, Grossman (1999)

Does not gain mass from the confinement →

	Gauge	Global	
	$SU(6)$	$U(1)$	
ψ	$\bar{\mathbf{6}}$	$-2/3$	$\times 2$ (Two generation)
χ	$\mathbf{15}$	$1/3$	
$v^c \propto \psi\psi\chi$	$\mathbf{1}$	-1	$\times 3$ (Three generation)
l	$\mathbf{1}$	$+1$	$\times 3$ (Three generation)

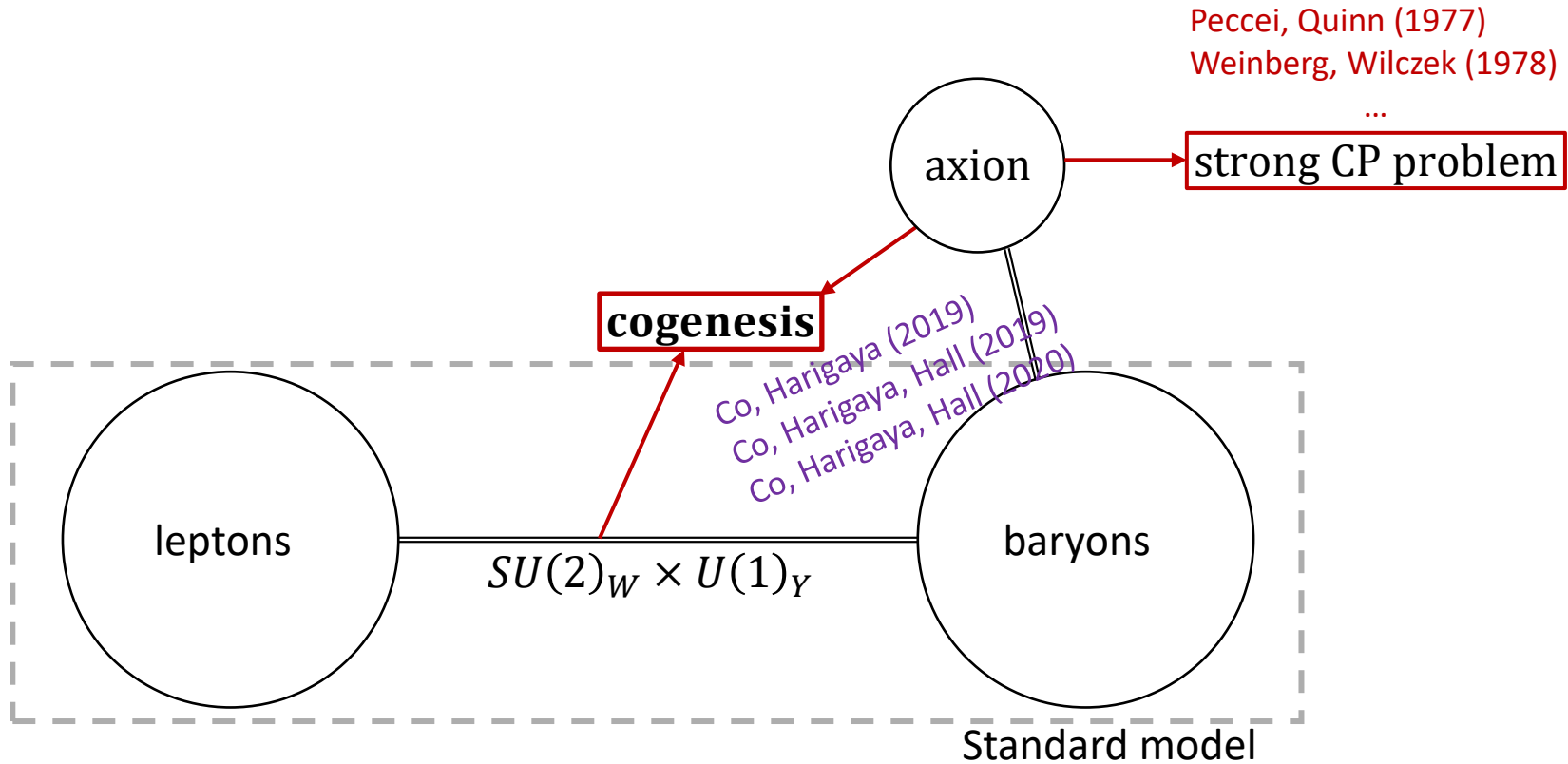
Effective operator with SM: $\frac{1}{M^3} Hl (\psi\psi\chi) \rightarrow \frac{\Lambda_c^3}{M^3} Hl v_c$

$$m_\nu \sim \left(\frac{\Lambda_c}{M}\right)^3 v_h$$

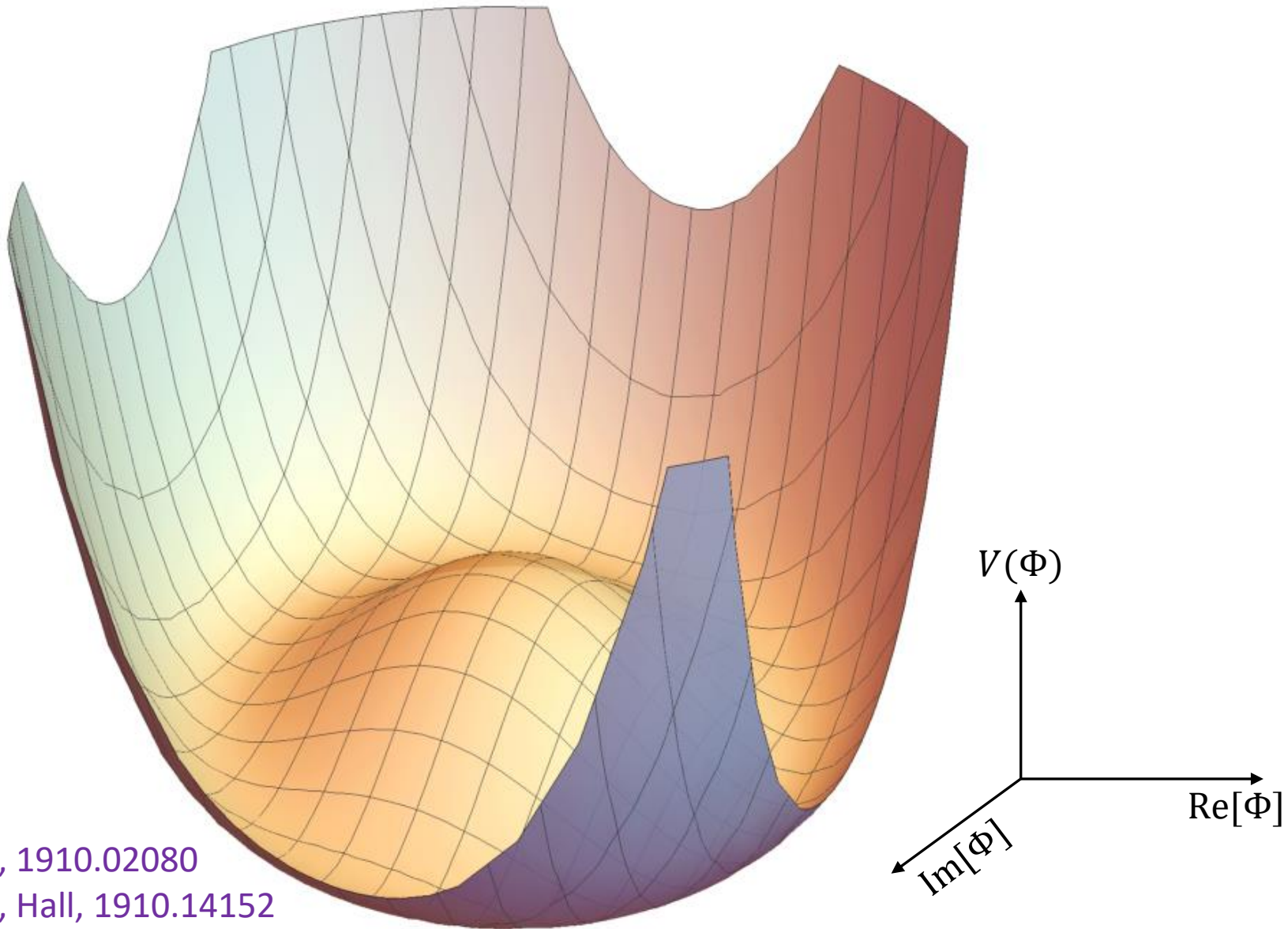
$$\frac{\Lambda_c}{M} \sim 10^{-4} \Rightarrow m_\nu \sim 0.1 \text{ eV}$$

Many ways of UV completion
 M comes from other particles' mass.

Kinetic misalignment



Kinetic misalignment

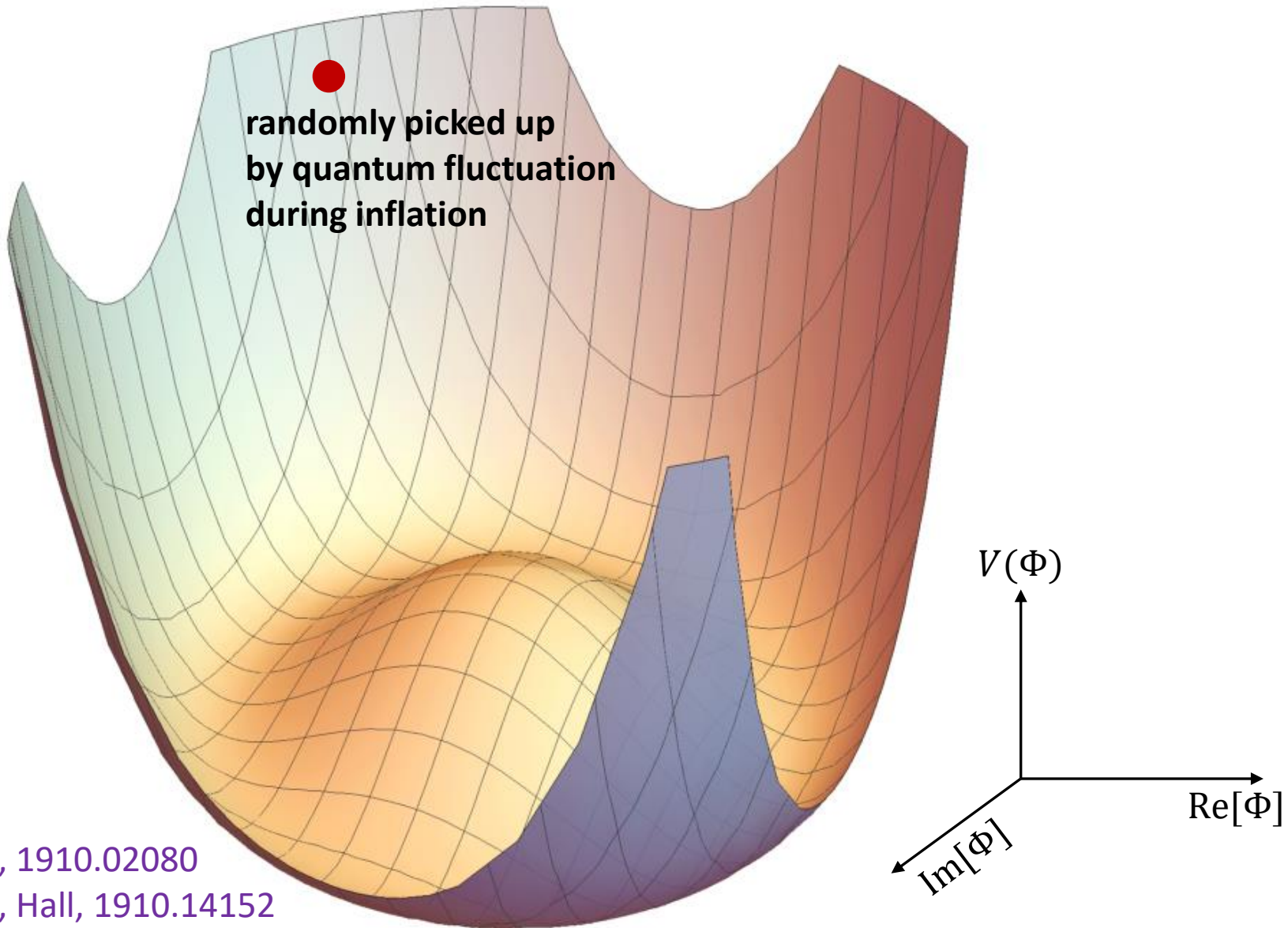


Co, Harygaya, 1910.02080

Co, Harygaya, Hall, 1910.14152

Potential of PQ breaking field Φ

Kinetic misalignment



randomly picked up
by quantum fluctuation
during inflation

$V(\Phi)$

$\text{Re}[\Phi]$

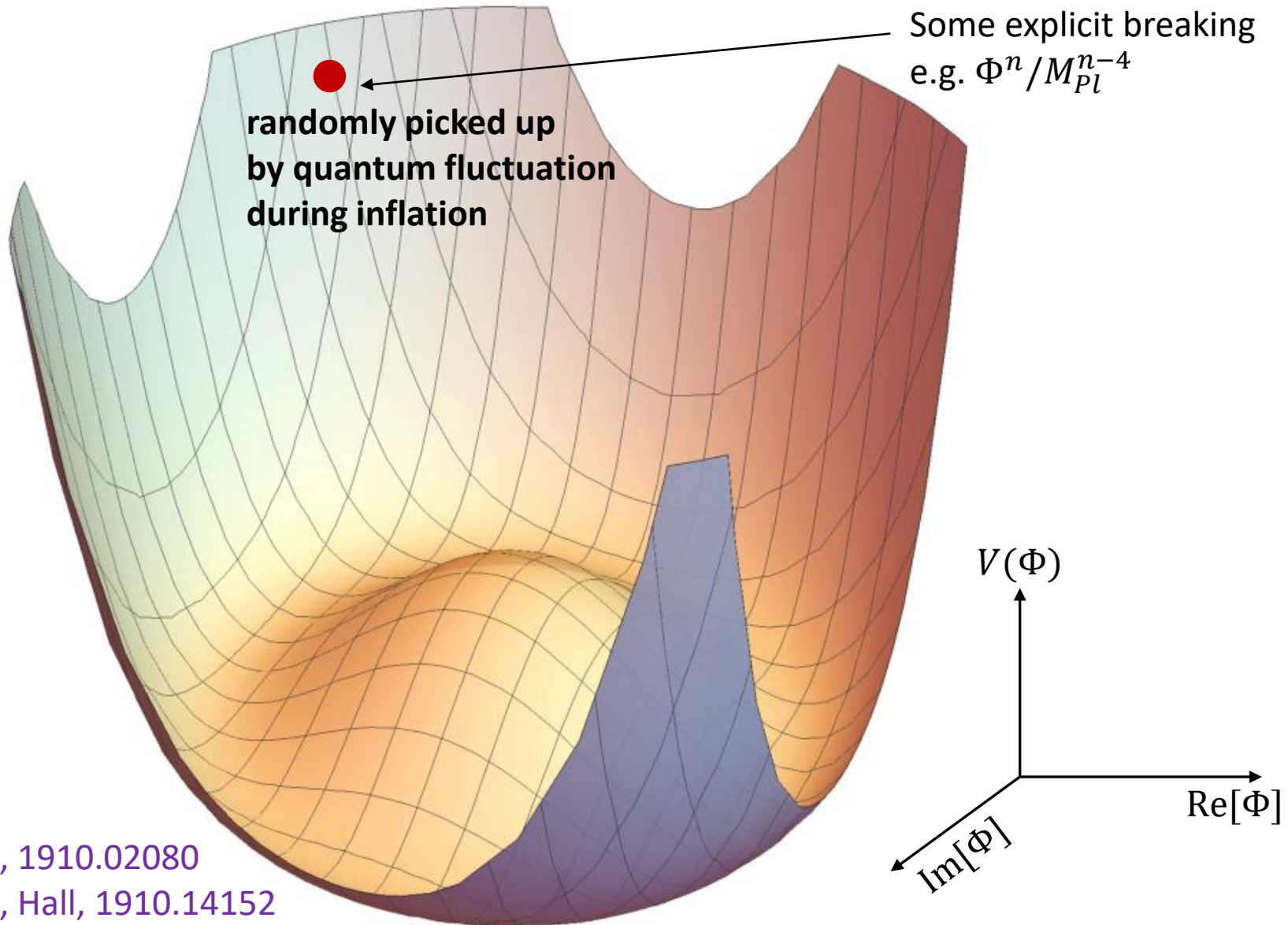
$\text{Im}[\Phi]$

Potential of PQ breaking field Φ

Co, Harygaya, 1910.02080

Co, Harygaya, Hall, 1910.14152

Kinetic misalignment

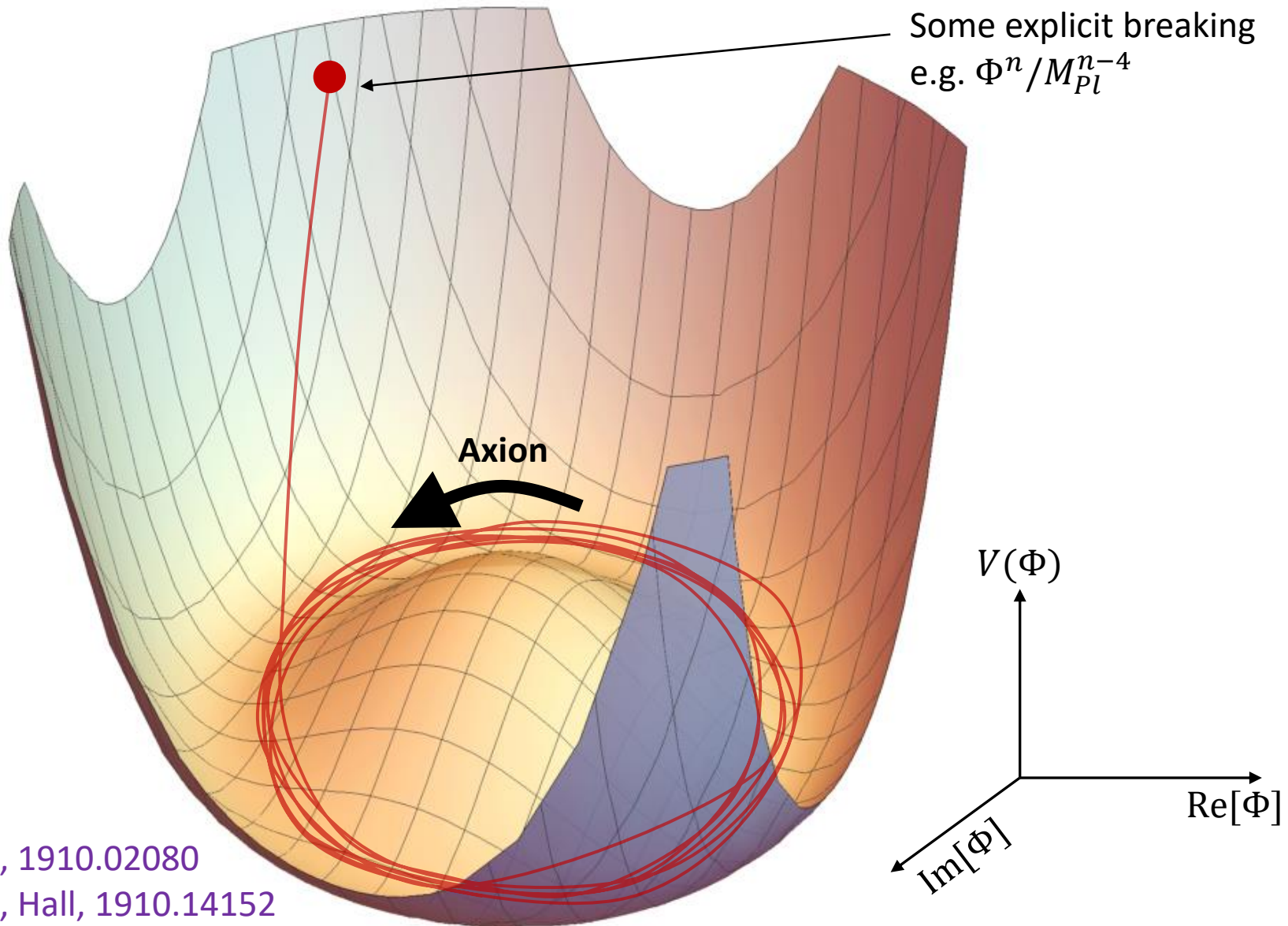


Potential of PQ breaking field Φ

Co, Harygaya, 1910.02080

Co, Harygaya, Hall, 1910.14152

Kinetic misalignment



Potential of PQ breaking field Φ

Co, Harygaya, 1910.02080

Co, Harygaya, Hall, 1910.14152

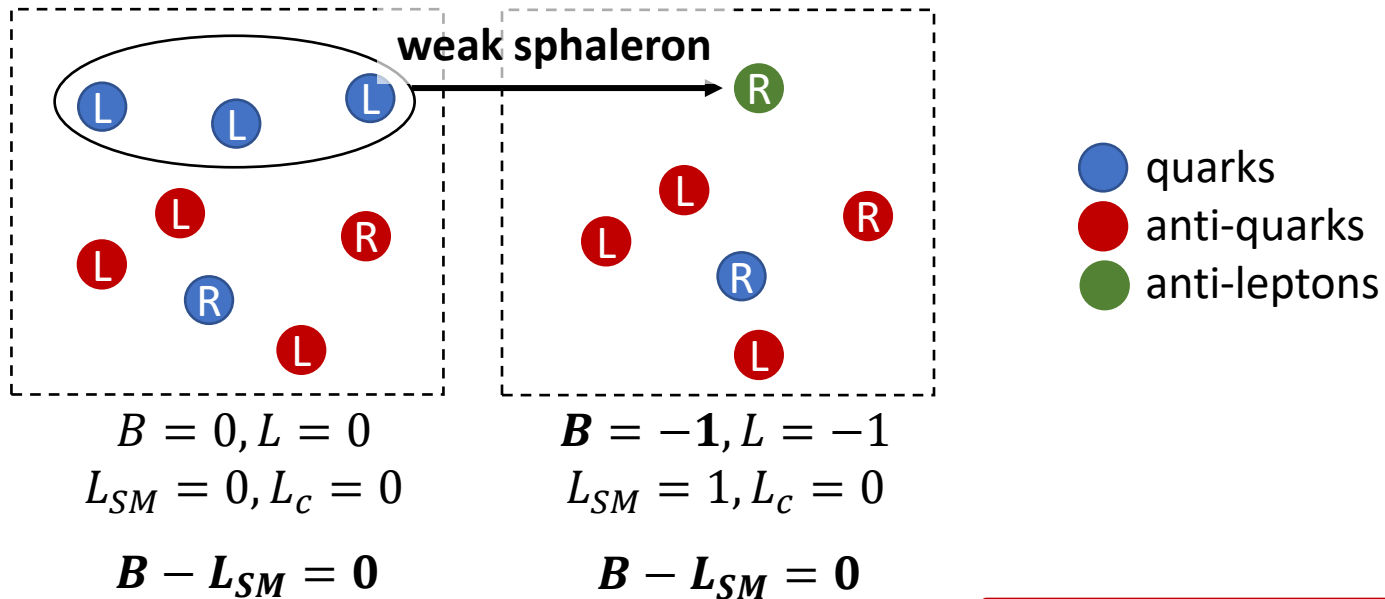
Axiogenesis

Once we have $\dot{a} \neq 0$, baryons and leptons get nonzero chemical potential.

1. Chirality asymmetry is generated by $\dot{a} \neq 0$.

$$\frac{a}{f_a} G \tilde{G} \rightarrow \frac{a}{f_a} \partial_\mu J_A^\mu \rightarrow -\frac{\partial_\mu a}{f_a} J_A^\mu \rightarrow -\frac{\dot{a}}{f_a} (n_L - n_R)$$

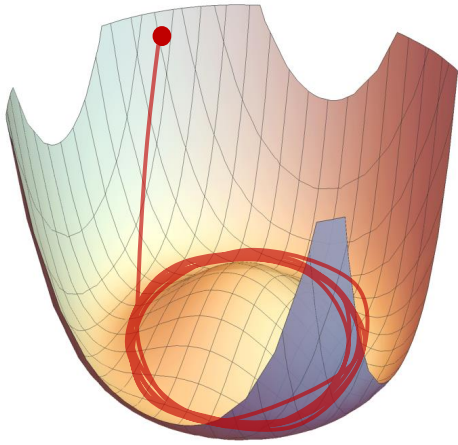
2. Weak sphaleron converts only left-handed quarks into (anti-)leptons.



3. $B + L$ asymmetry is generated!

$$n_B \sim \mu_{B+L} T^2 \sim \frac{\dot{a}}{f_a} T^2$$

Redshift of the axion motion



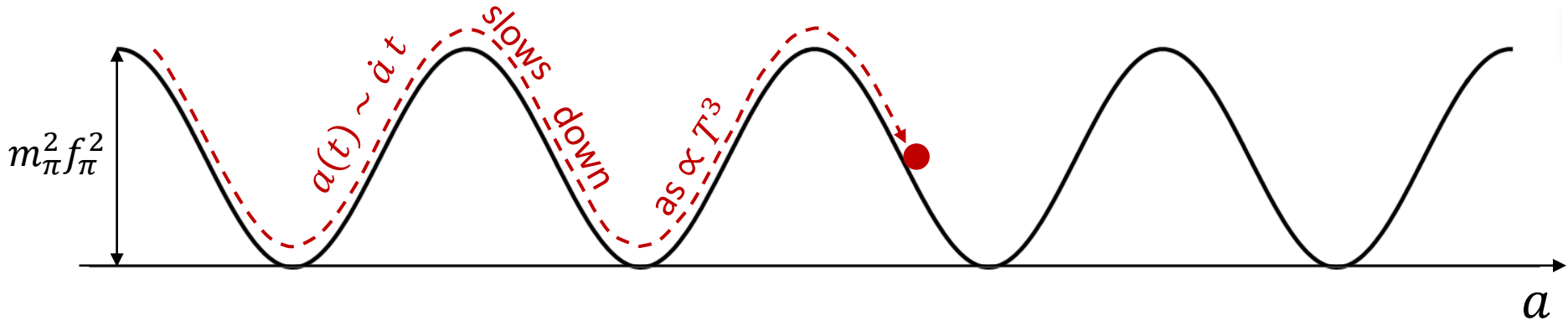
At $T_i \ll f_a$, $\dot{a}(T_i) = \dot{a}_i \neq 0$

PQ charge is approximately conserved, so

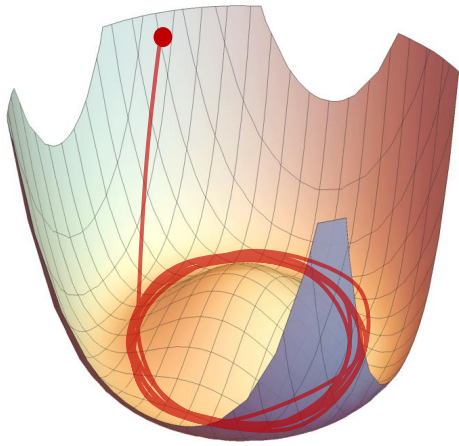
$$Y_{PQ} = \frac{n_{PQ}}{s} \simeq \frac{\dot{a}(T)f_a}{s} \simeq \text{const} \Rightarrow \dot{a}(T) \sim \dot{a}_i \left(\frac{T}{T_i}\right)^3$$



good free parameter



Axion dark matter



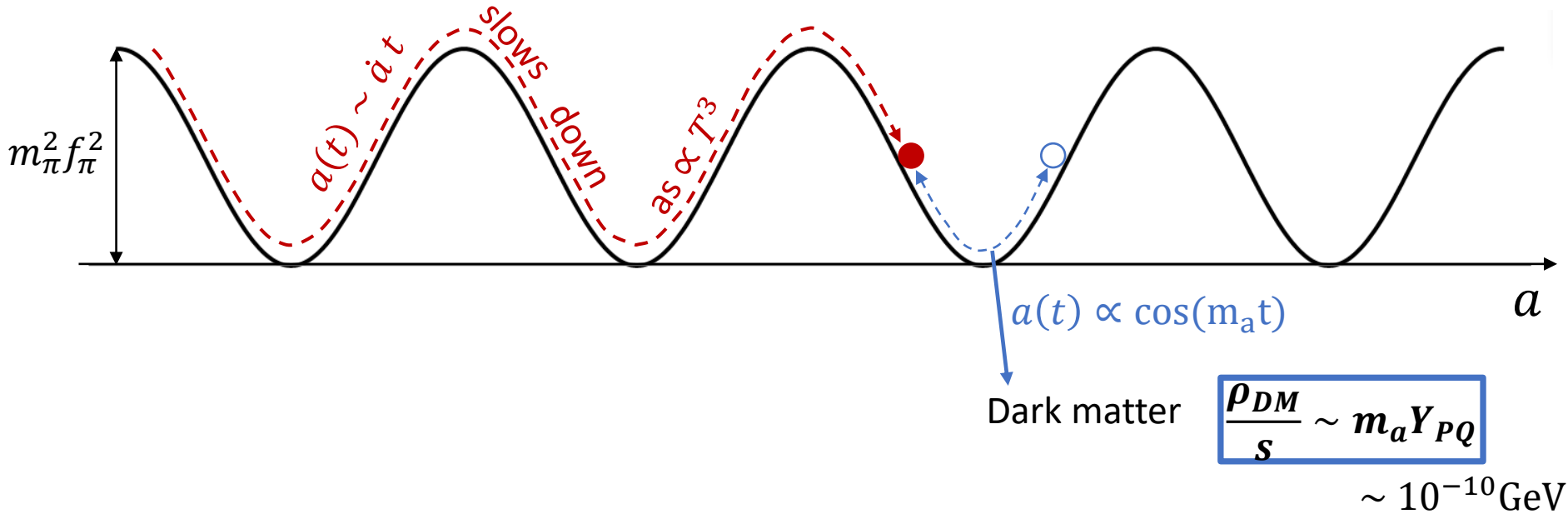
At $T_i \ll f_a$, $\dot{a}(T_i) = \dot{a}_i \neq 0$

PQ charge is approximately conserved, so

$$Y_{PQ} = \frac{n_{PQ}}{s} \simeq \frac{\dot{a}(T)f_a}{s} \simeq \text{const} \Rightarrow \dot{a}(T) \sim \dot{a}_i \left(\frac{T}{T_i}\right)^3$$



good free parameter

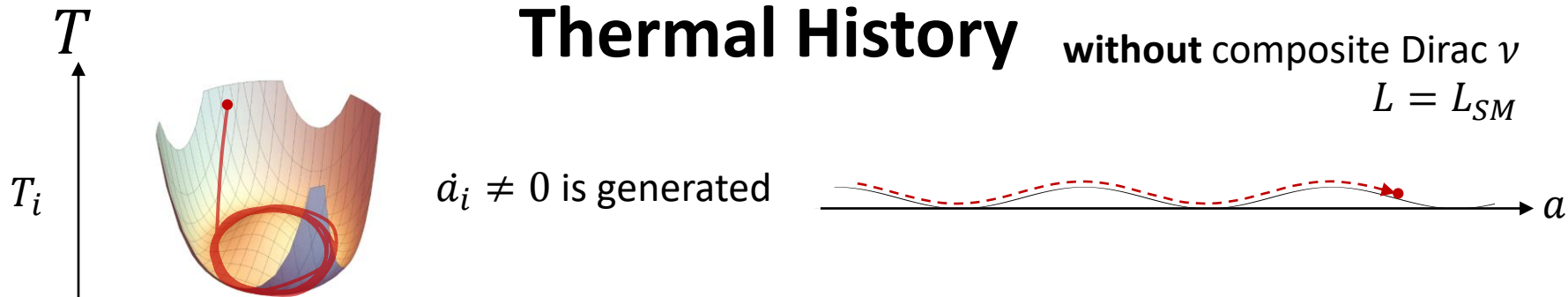


*Larger abundance compared to the conventional misalignment scenario since we start from nonzero \dot{a} .

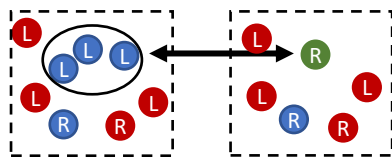
Thermal History

without composite Dirac ν

$$L = L_{SM}$$



$\Rightarrow aG\tilde{G} \sim \dot{a} n_{LQ-RQ} \Rightarrow B + L$ asymmetry via weak sphaleron



$$\Rightarrow n_B \sim n_{B+L} \sim n_{PQ} \left(\frac{T}{f_a} \right)^2$$

T_{EW}

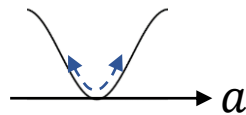
Weak sphaleron is decoupled: B and L are conserved separately

$$\frac{n_B(T)}{s} \sim Y_{PQ} \left(\frac{T_{EW}}{f_a} \right)^2 \sim 10^{-10}$$

Axion gets trapped by QCD potential and becomes the dark matter

T_{QCD}

$$\frac{\rho_{DM}}{s} \sim m_a Y_{PQ} \sim 10^{-10} \text{ GeV}$$



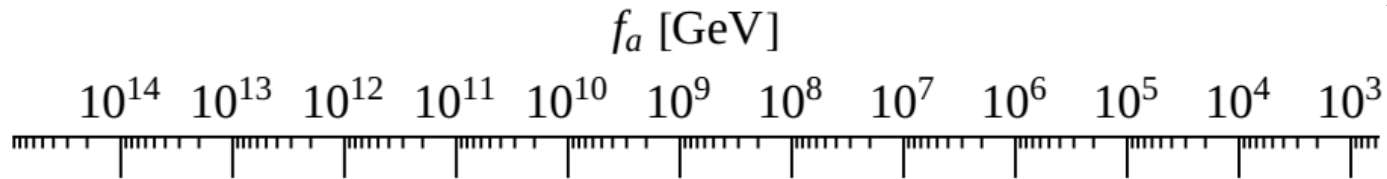
$$m_a \sim m_\pi f_\pi / f_a \sim 10^{-2} \text{ GeV}^2 / f_a$$

$$f_a \sim 10^6 \text{ GeV}$$

Axiogenesis

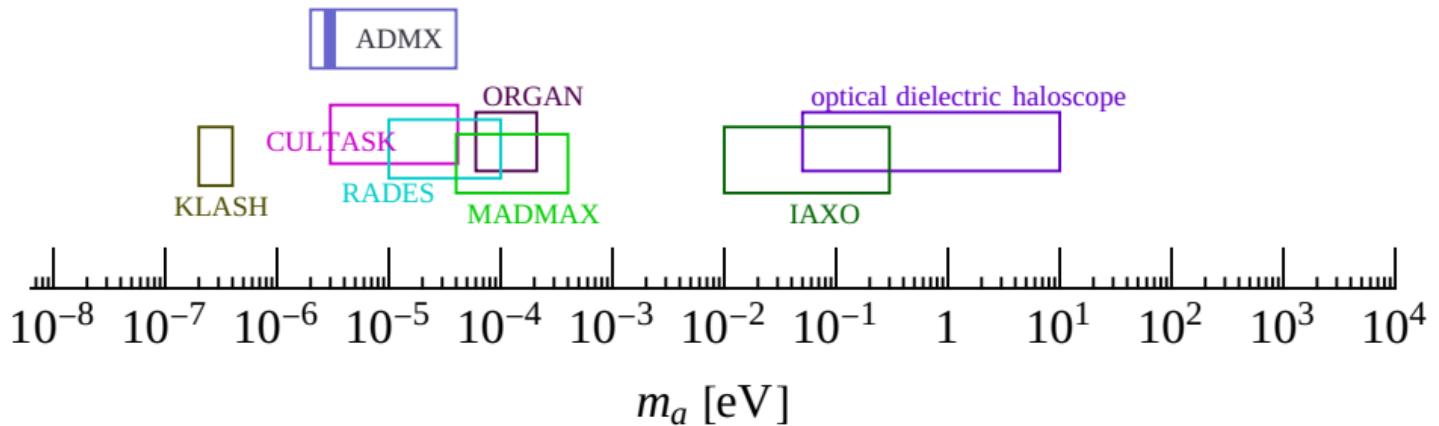
without composite Dirac ν

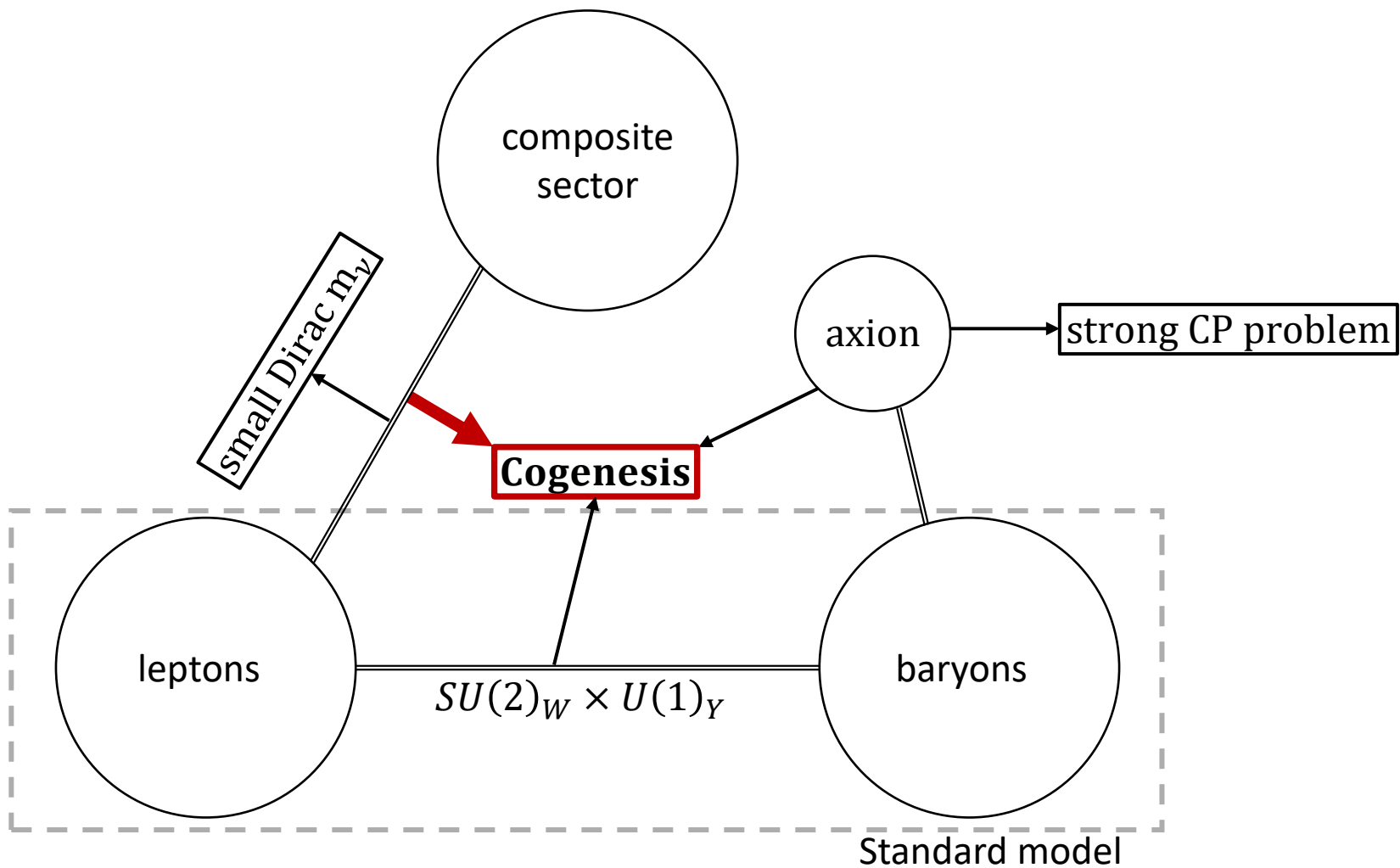
$$L = L_{SM}$$



● : ruled out!
SM+QCD axion only

← Standard misalignment

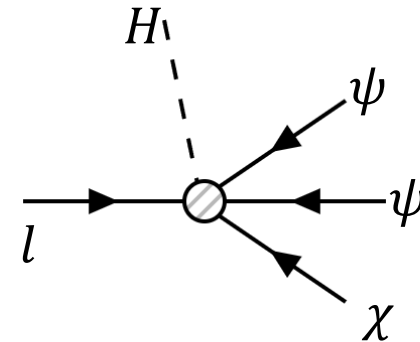




with composite Dirac ν

$$L = L_{SM} + L_c$$

	gauge	global	
	SU(6)	SU(2) _{ψ}	U(1) _L
ψ	$\bar{\mathbf{6}}$	$\mathbf{2}$	$-2/3$
χ	$\mathbf{15}$	$\mathbf{1}$	$1/3$
$\nu^c \propto \psi\psi\chi$	$\mathbf{1}$	$\mathbf{3}$	-1



$$\frac{1}{M^3} H l (\psi\psi\chi)$$

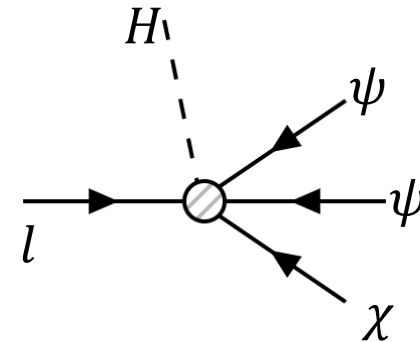
What happens when T is as high as M ?

$$L_{SM} \leftrightarrow L_c \text{ active}$$

with composite Dirac ν

$$L = L_{SM} + L_c$$

	gauge	global	
	SU(6)	SU(2) $_{\psi}$	U(1) $_L$
ψ	$\bar{\mathbf{6}}$	$\mathbf{2}$	$-2/3$
χ	$\mathbf{15}$	$\mathbf{1}$	$1/3$
$\nu^c \propto \psi\psi\chi$	$\mathbf{1}$	$\mathbf{3}$	-1

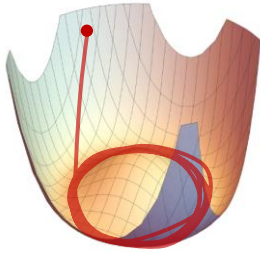


$$\frac{1}{M^3} H l (\psi\psi\chi)$$

$$T > T_{LD} \Rightarrow \boxed{B - L_{SM} : \text{broken by } L_{SM} \leftrightarrow L_c}$$

$$T < T_{LD} \Rightarrow \boxed{B - L_{SM} : \text{approximately conserved}}$$

Thermal History with composite Dirac ν



$\dot{a}_i \neq 0$ is generated



$(L_{SM} \leftrightarrow L_c)$ (weak sphaleron)

$$\Rightarrow n_B \sim \frac{n_{B-L_{SM}}}{s} + \frac{n_{B+L_{SM}}}{s} \sim \frac{\dot{a}}{f_a} T^2$$

T_{LD}

frozen

$$\frac{n_B(T)}{s} \sim \frac{n_{B-L_{SM}}(T_{LD})}{s(T_{LD})} \sim Y_{PQ} \left(\frac{T_{LD}}{f_a} \right)^2 \sim 10^{-10}$$

vs $\frac{n_B(T)}{s} \sim Y_{PQ} \left(\frac{T_{EW}}{f_a} \right)^2$
(without composite ν)

T_{EW}

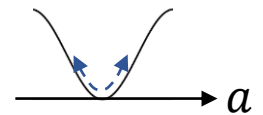
frozen

$O((T_{EW}/T_{LD})^2)$ change in final baryon asymmetry, so negligible

T_{QCD}

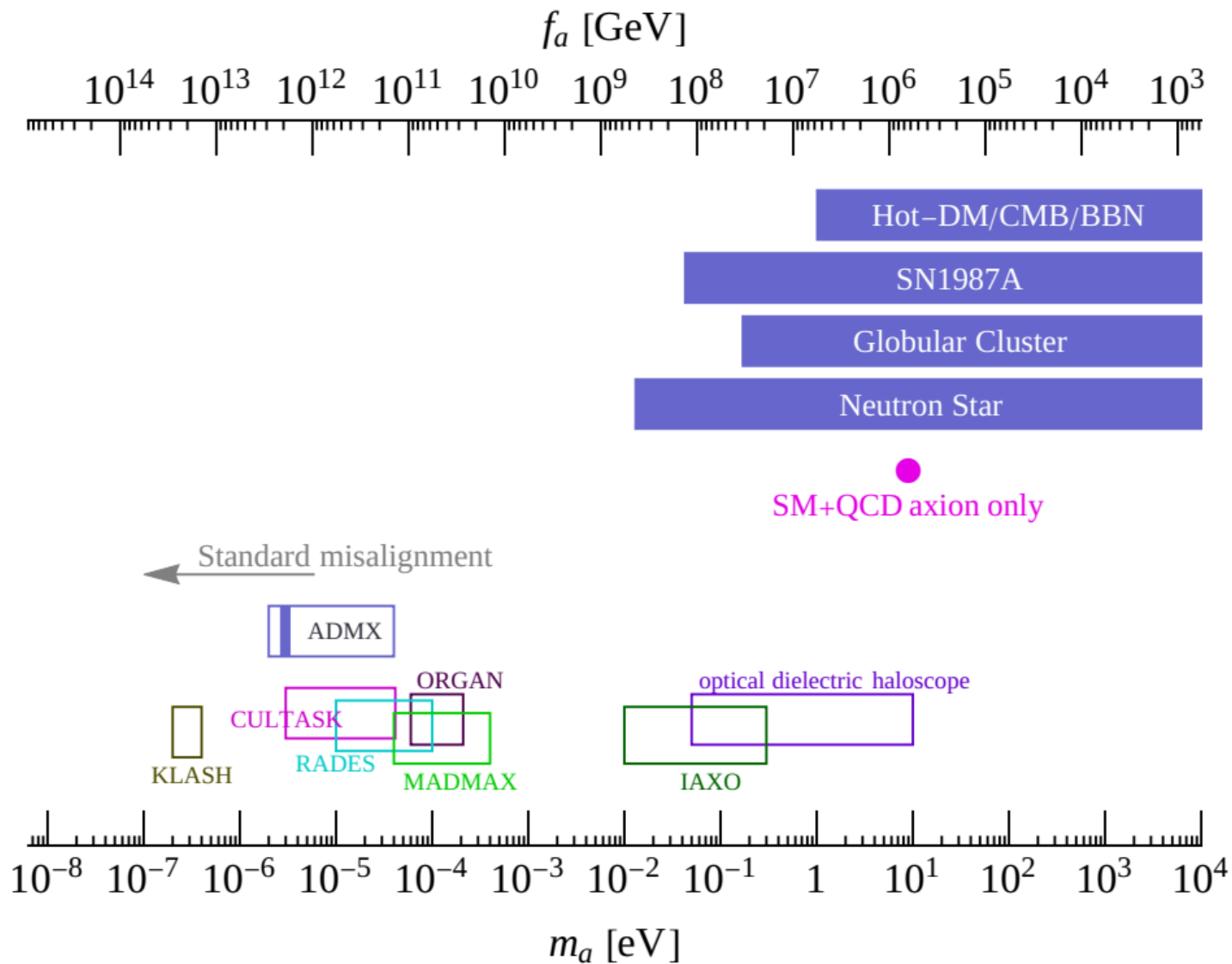
Axion gets trapped by QCD potential and becomes dark matter

$$\frac{\rho_{DM}}{s} \sim m_a Y_{PQ} \sim 10^{-10} \text{ GeV}$$

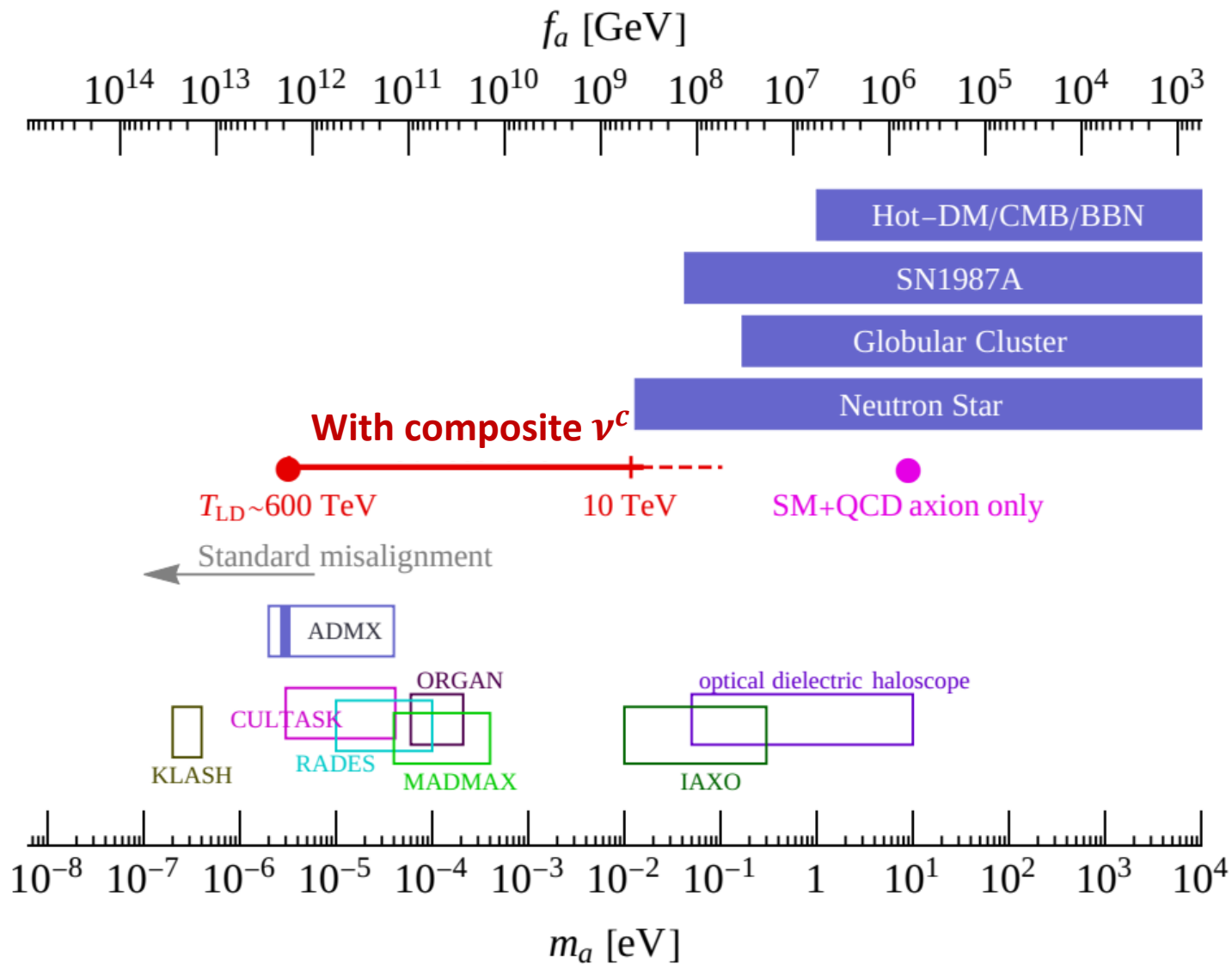


$$m_a \sim m_\pi f_\pi / f_a$$

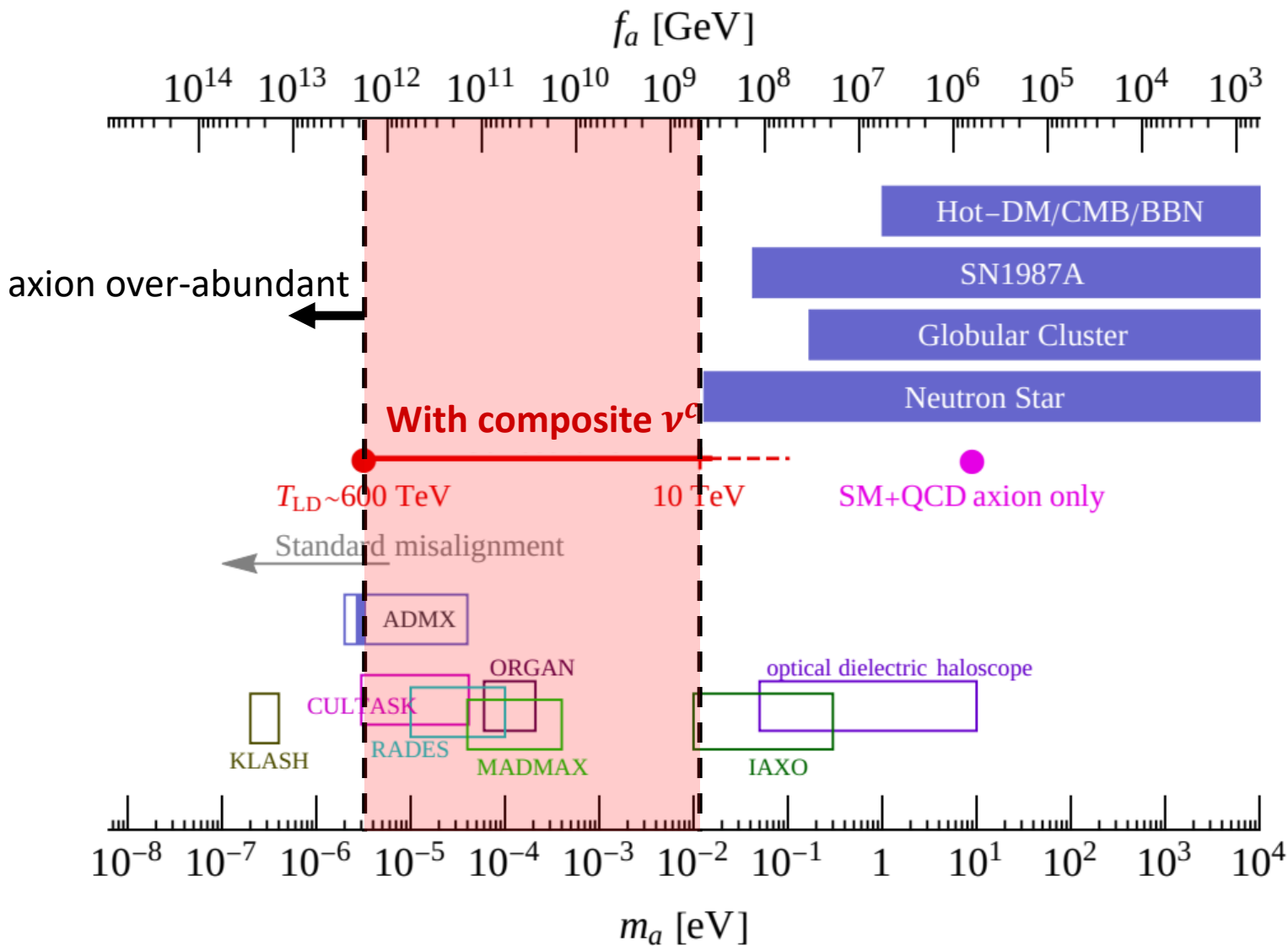
Baryogenesis with composite Dirac ν



Baryogenesis with composite Dirac ν



Baryogenesis with composite Dirac ν



Other prediction?

For baryogenesis, the composite sector should be in chemical equilibrium with SM at high temperature.



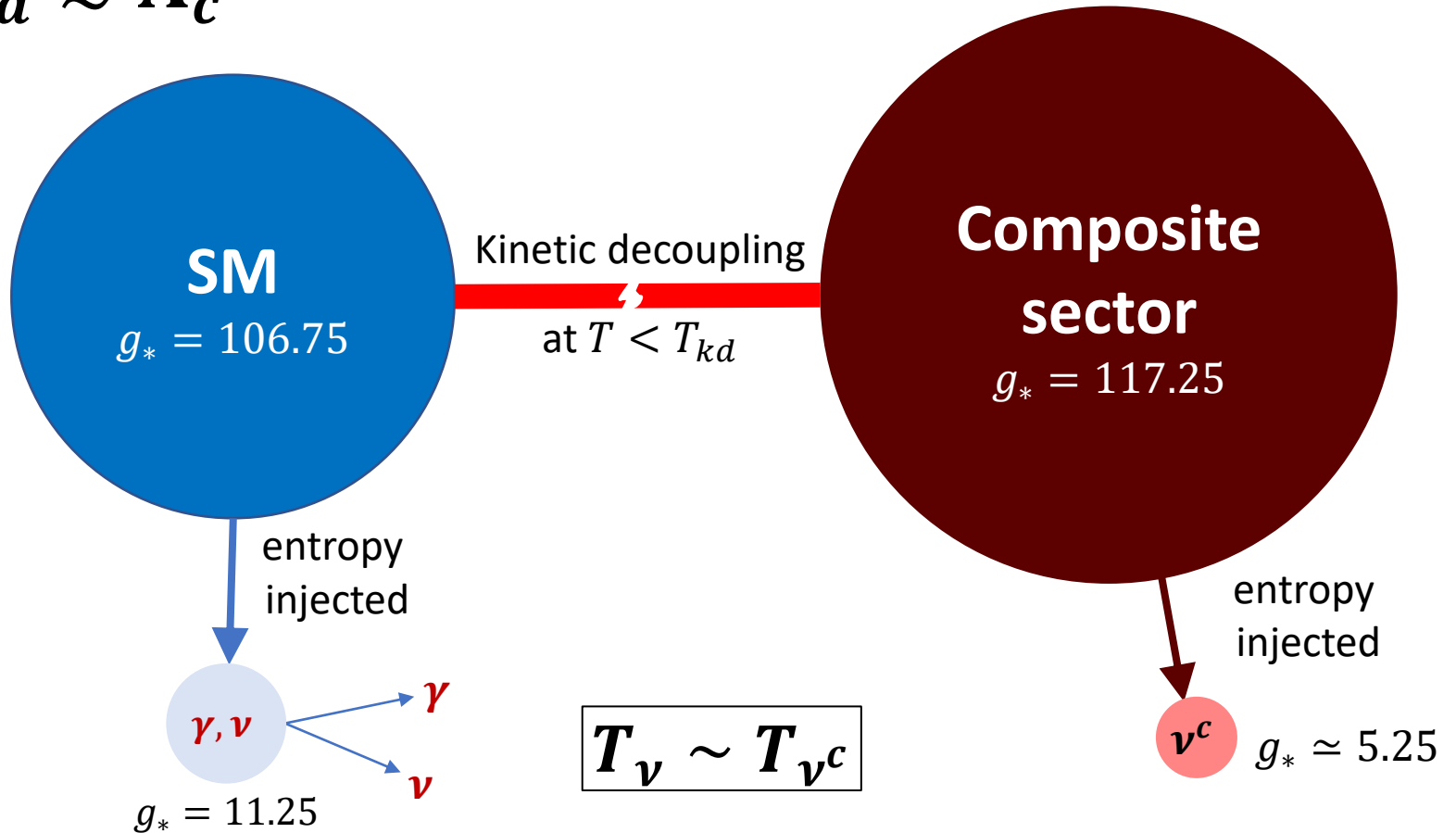
**Many RH neutrinos
in the end?**

ΔN_{eff} = additional relativistic abundance
normalized by one generation of SM neutrino

$\Delta N_{\text{eff}} < 0.33$ from CMB at 2σ

$$\Delta N_{\text{eff}}$$

If $T_{kd} \gtrsim \Lambda_c$

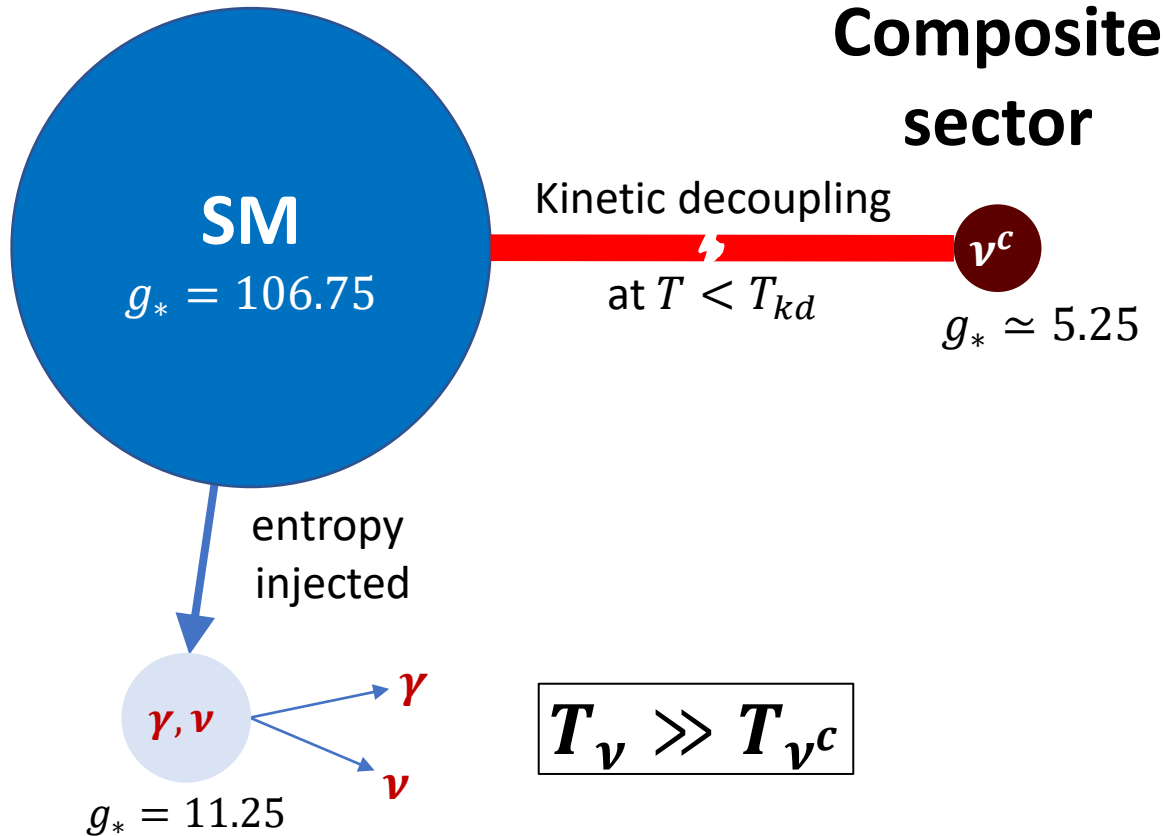


$$\Delta N_{\text{eff}} \simeq 8.8$$

ruled out!

ΔN_{eff}

If $T_{kd} \ll \Lambda_c$

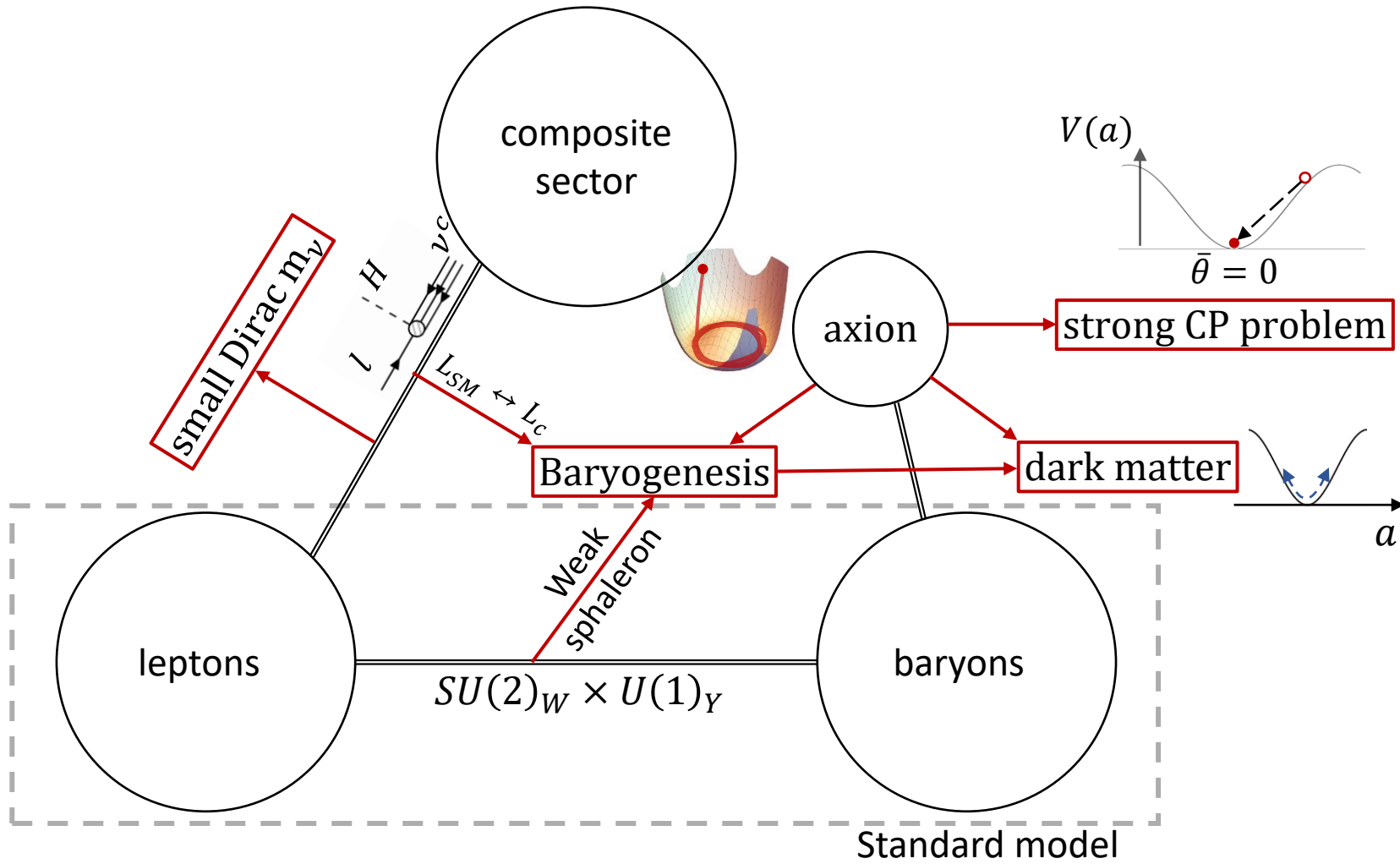


$\Delta N_{\text{eff}} \gtrsim 0.14$

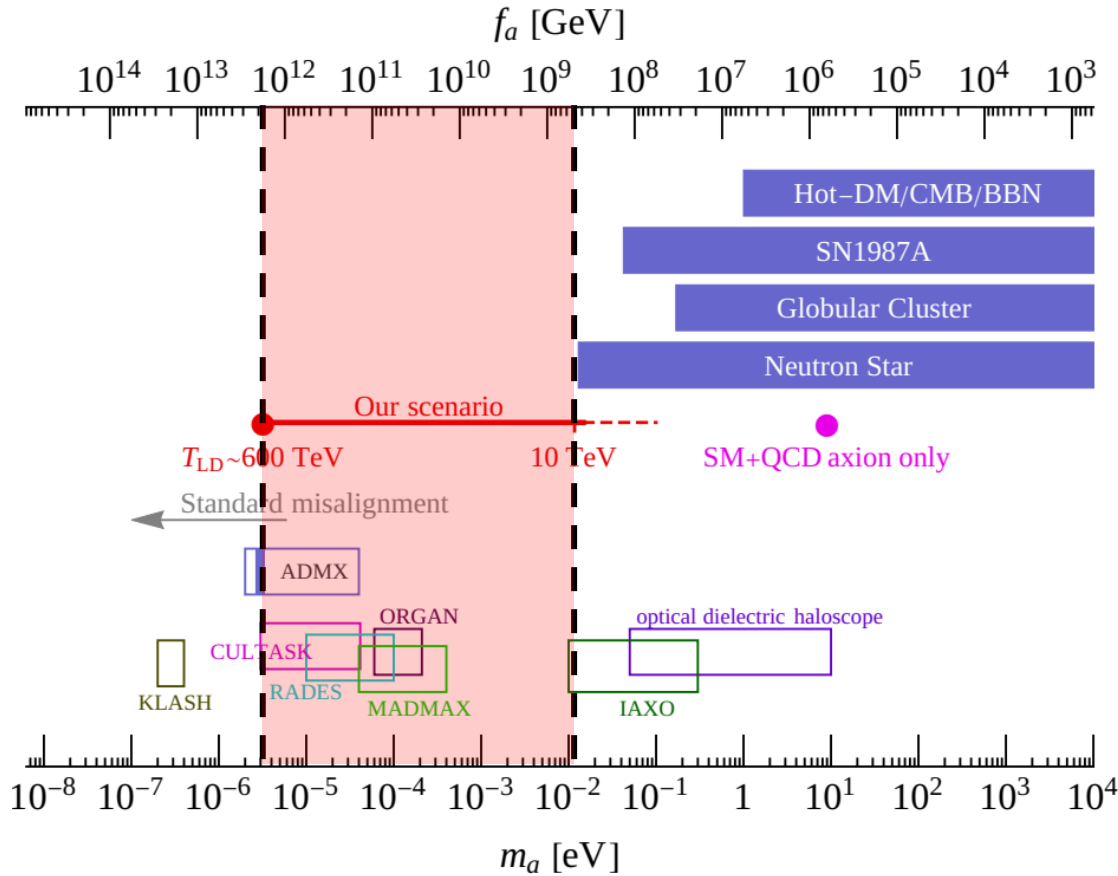
Not ruled out,
and testable in future

CMB stage IV: $\Delta N_{\text{eff}} < 0.03$

Summary



Summary



&

$$\Delta N_{\text{eff}} \gtrsim 0.14$$