

Quantum Simulations of Dark Sector Showers

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AEI/KIAS workshop, Nov. 15 @ Jeju

Based on collaboration with So Chigusa (UC Berkeley)
arXiv: 2204.12500 [hep-ph]



cf. in progress with
So Chigusa and Christian Bauer (UC Berkeley)

Beyond Dark Matter?

Let's assume we have Dark Matter in the dark sector

Beyond Dark Matter?

Let's assume we have Dark Matter in the dark sector

Q: Dark sector beyond dark matter ??

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motivation:

self-interaction of DM (SIDM) via dark mediators

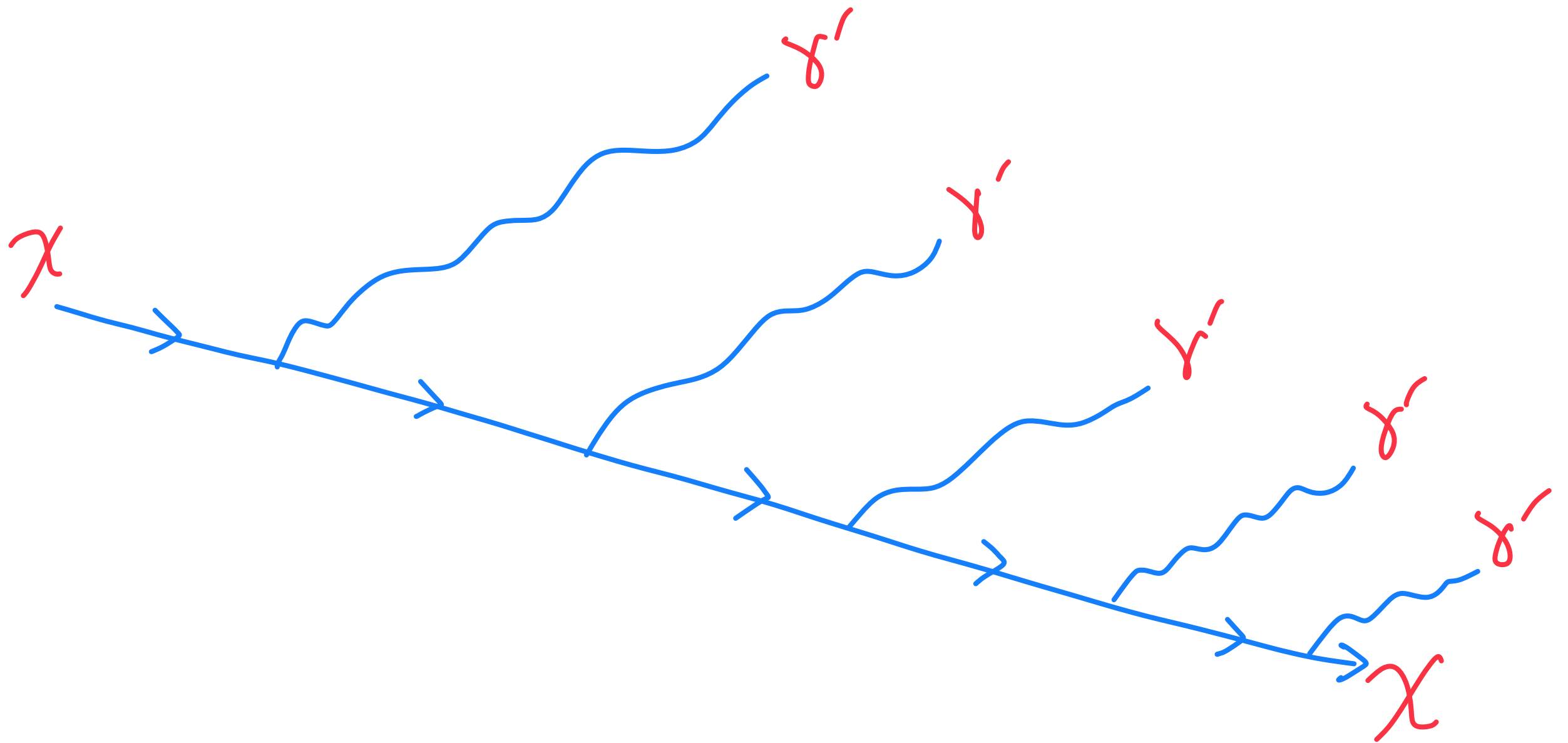
galaxy core cusp problem
positron excess in cosmic ray PAMELA, AMS
Fermi-LAT
galactic center GeV excess Fermi-LAT
⋮

Today

dark fermion $\chi_{i=1 \sim N_f}$ (N_f flavors)
dark photon $U(1)_D \gamma'$

$$\begin{aligned} \mathcal{L}_{\text{dark}} = & \sum_i \bar{\chi}_i (i \not{\partial} - m_{\chi_i}) \chi_i \\ & + \sum_{i,j} i g_{ij} \bar{\chi}_i A' \chi_j \\ & - \frac{1}{4} F'_{\mu\nu} F'^{\mu\nu} - \frac{1}{2} m_{A'}^2 A'_\mu A'^\mu \end{aligned}$$

Dark sector jets ($N_f = 1$)

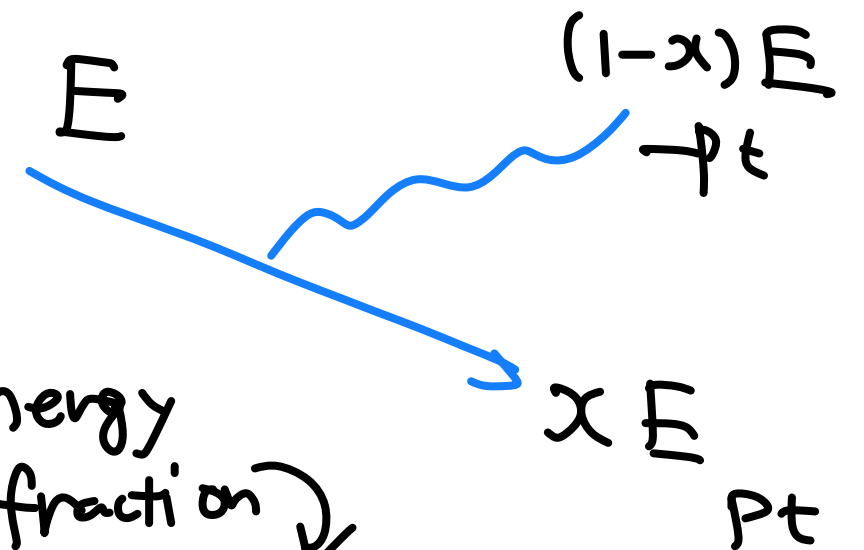


dramatic effects, e.g. @ H-L LHC?
[many papers]

Standard: classical parton shower

[Pythia, Herwig, Sherpa, ... cf. Krauss's talk]

emission probability density E



$$R(t) = \int_{x_{\min}(t,E)}^{x_{\max}(t,E)} dx \frac{g^2}{8\pi} \frac{1}{t} P_{\chi \rightarrow \chi}(x,t)$$

$$P_{\chi \rightarrow \chi} = \frac{1+x^2}{1-x} - \frac{2(m_\chi^2 + m_A^2)}{t}$$

energy fraction \rightarrow
virtuality $t \leftarrow p_t$

[cf. Chen-Ko-Li²-Yokoya '18]

We can do MC for each t -step

However, quantum entanglement
among different flavors ($N_f > 1$)

$$\sum_{k \neq l} \left[\begin{array}{c} \chi_i \quad \chi_k \quad \chi_j \\ \text{---} \text{---} \text{---} \\ \text{wavy lines} \end{array} \left[\begin{array}{c} \chi_i \quad \chi_l \quad \chi_j \\ \text{---} \text{---} \text{---} \\ \text{wavy lines} \end{array} \right]^* \right] + \text{c.c.},$$

NOT in classical parton shower
(except e.g. in large N_c approximation)



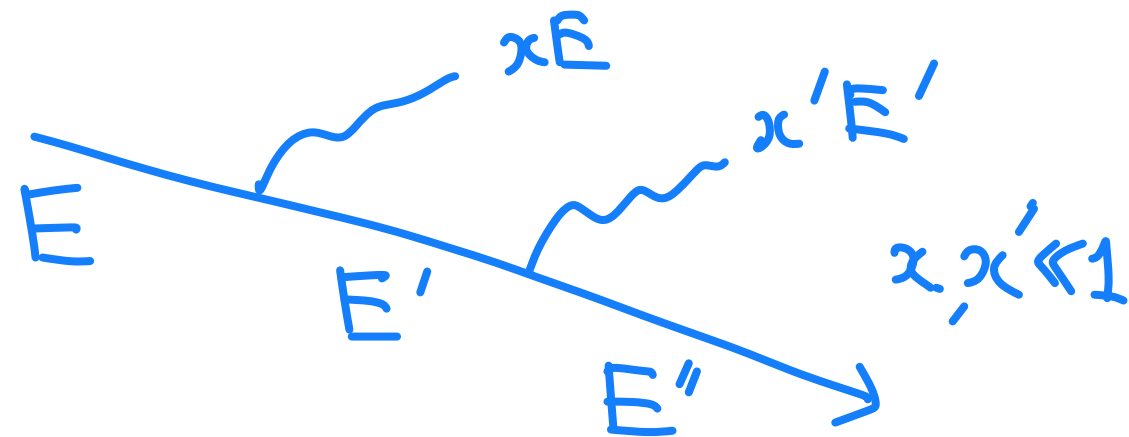
If the problem is in quantum,
why not use quantum computer?

quantum algorithm for quantum PS

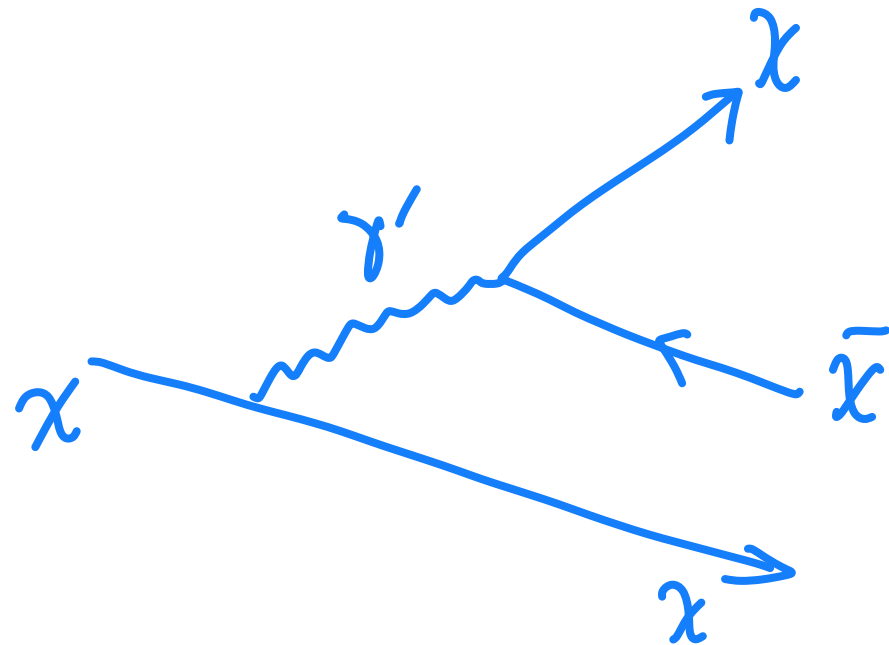
[see also Bouer, de Jong, Nachman, Provasoli ('19)
Bepori, Malik, Spannowsky, Williams (20)]
⋮

Today: simplifying assumptions

1. $E \sim E' \sim E'' \sim E_0$

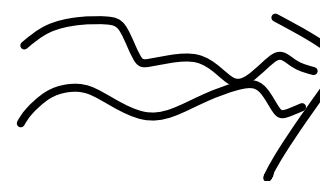


2. $m_{A'} < 2 m_\chi$
otherwise

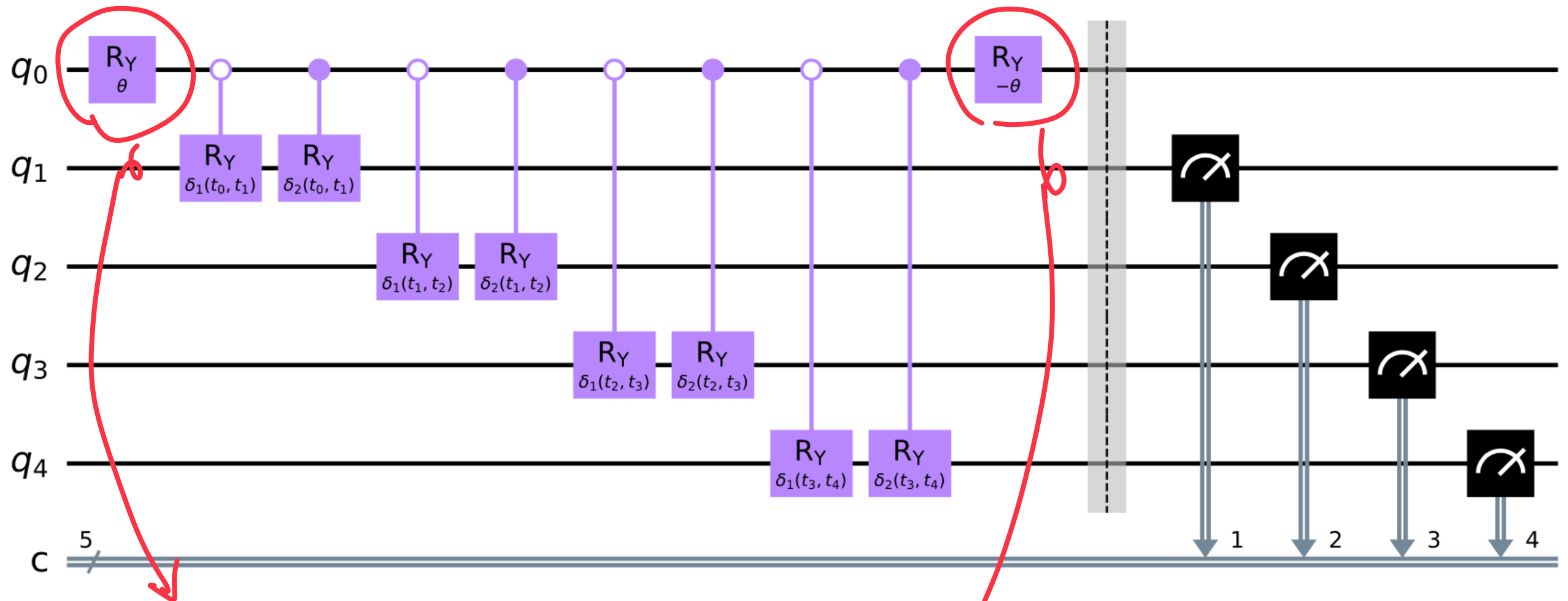


3. running of α' ignored

(e.g. $E_0 = 500 \text{ GeV}$, $m_\chi = m_{A'} = 0.4 \text{ GeV}$)

 only # (dark photons)

$$N_f = 2, \quad N_{\text{step}} = 4$$

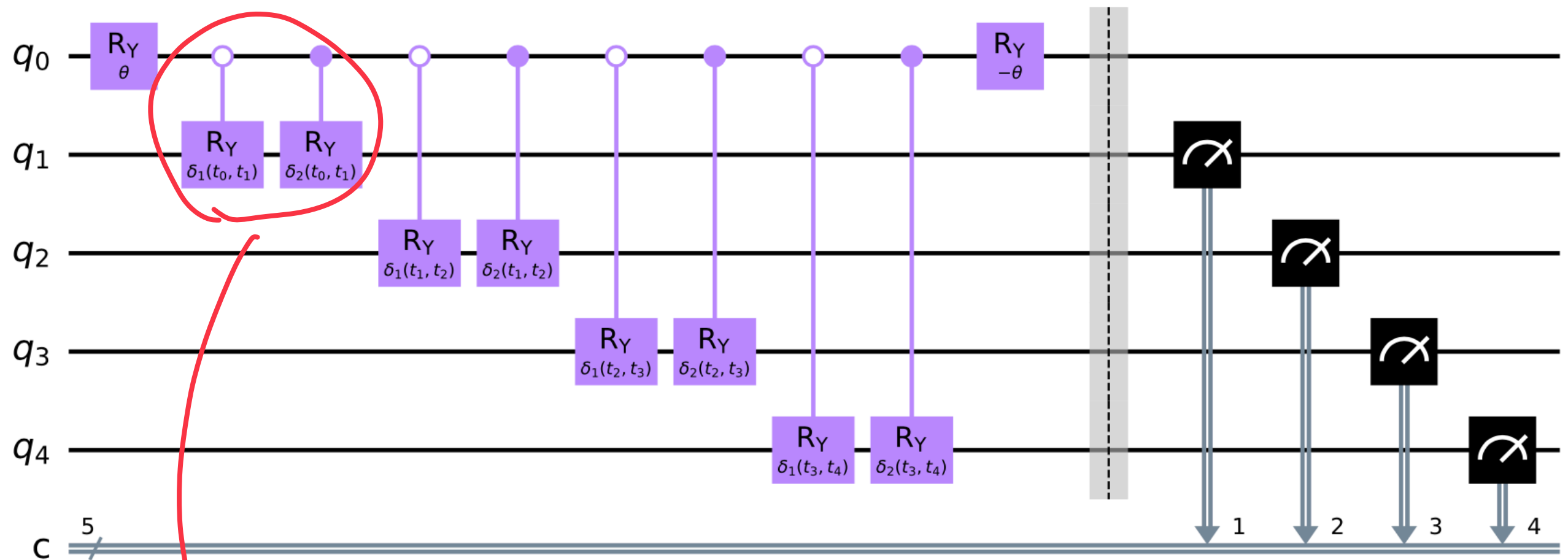


rotate the state into
gauge-diagonal basis

$$\begin{pmatrix} g_{11} & g_{12} \\ g_{21} & g_{22} \end{pmatrix} = R_Y(\theta)^\dagger \begin{pmatrix} g'_1 & 0 \\ 0 & g'_2 \end{pmatrix} R_Y(\theta)$$

$$R_Y(\theta) = \begin{pmatrix} \cos \frac{\theta}{2} & -\sin \frac{\theta}{2} \\ \sin \frac{\theta}{2} & \cos \frac{\theta}{2} \end{pmatrix}$$

$$N_f = 2, \quad N_{step} = 4$$



depending on the g_0

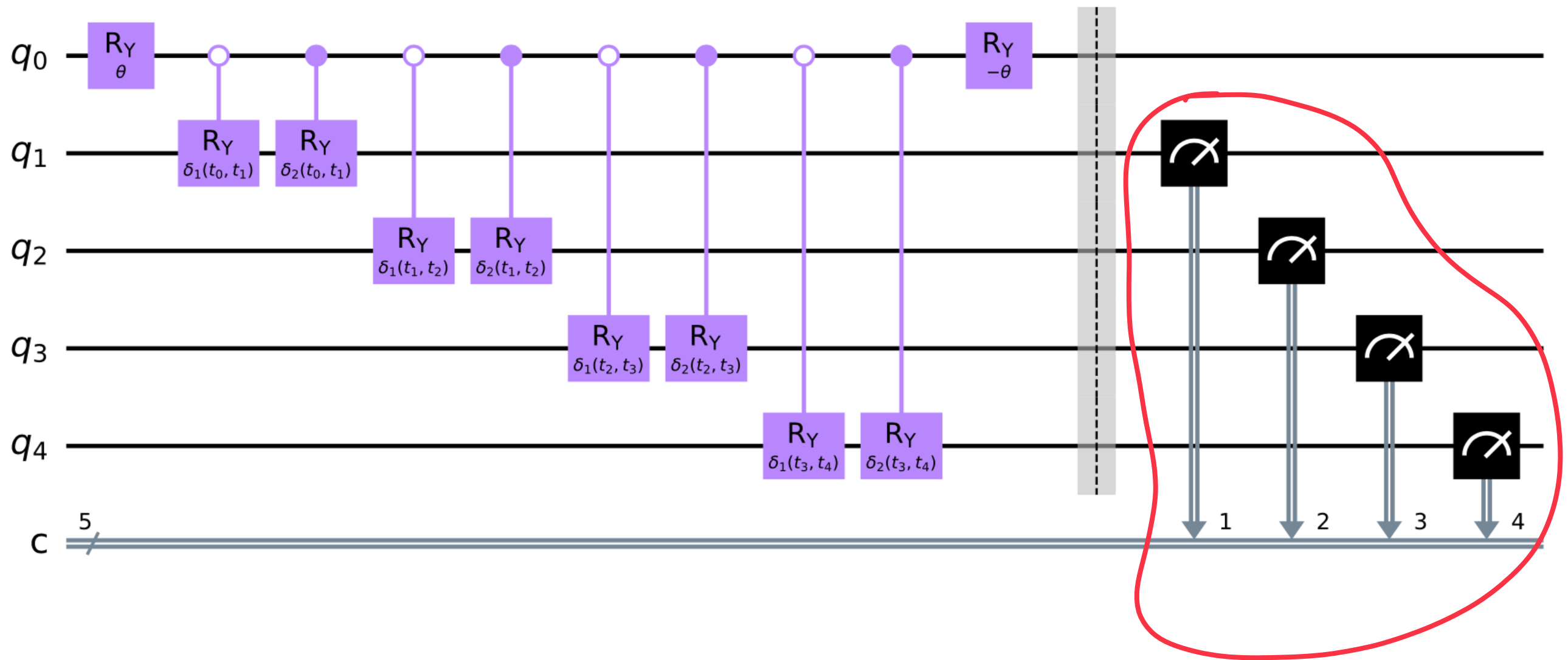
we emit particles

with different probabilities

$$\tan \frac{\delta_i}{2} = \sqrt{\frac{1 - \Delta_i'}{\Delta_i}}$$

$$\Delta_i = \exp\left[-N_f \int R(t)\right]$$

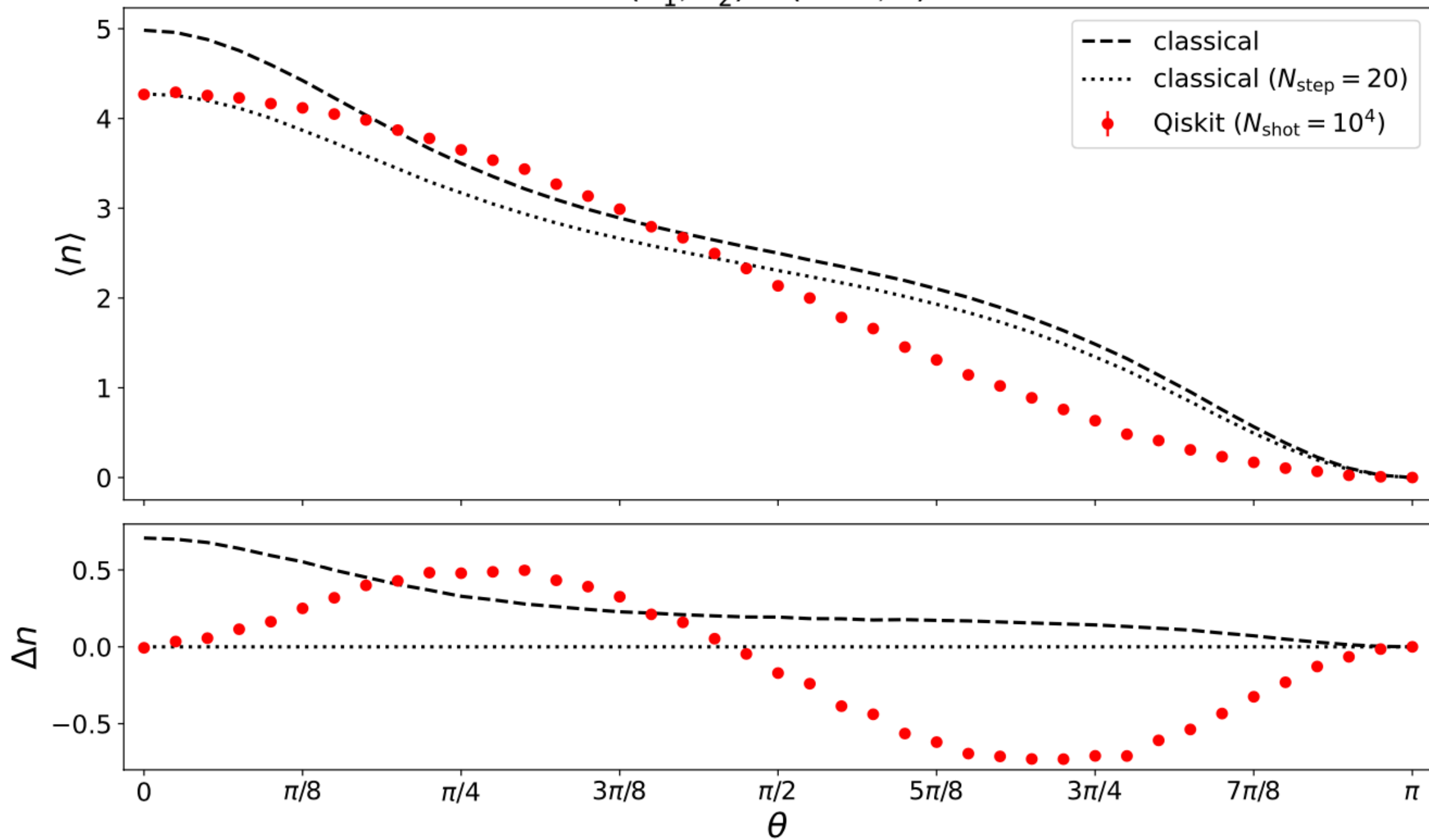
$$N_f = 2, \quad N_{step} = 4$$



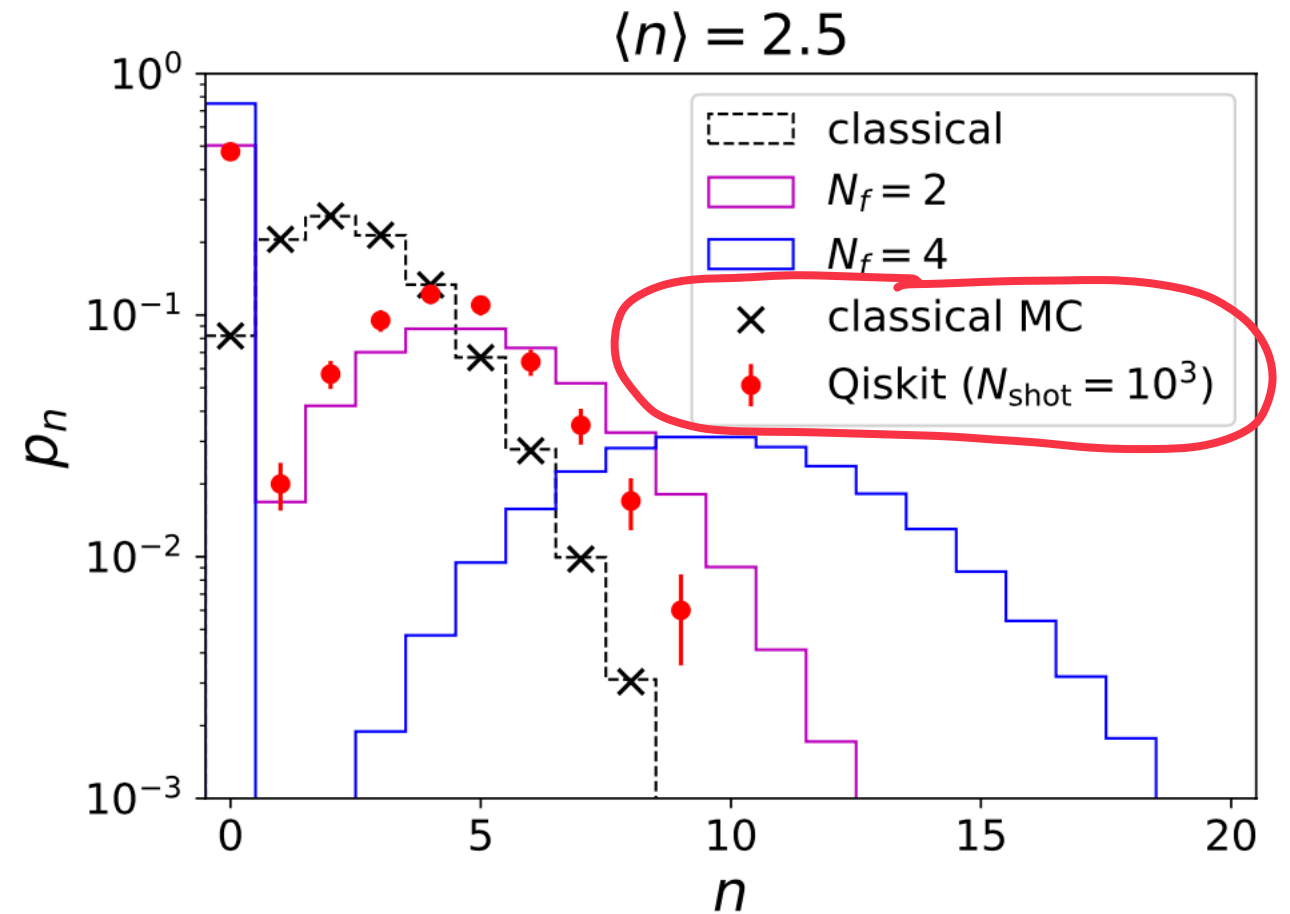
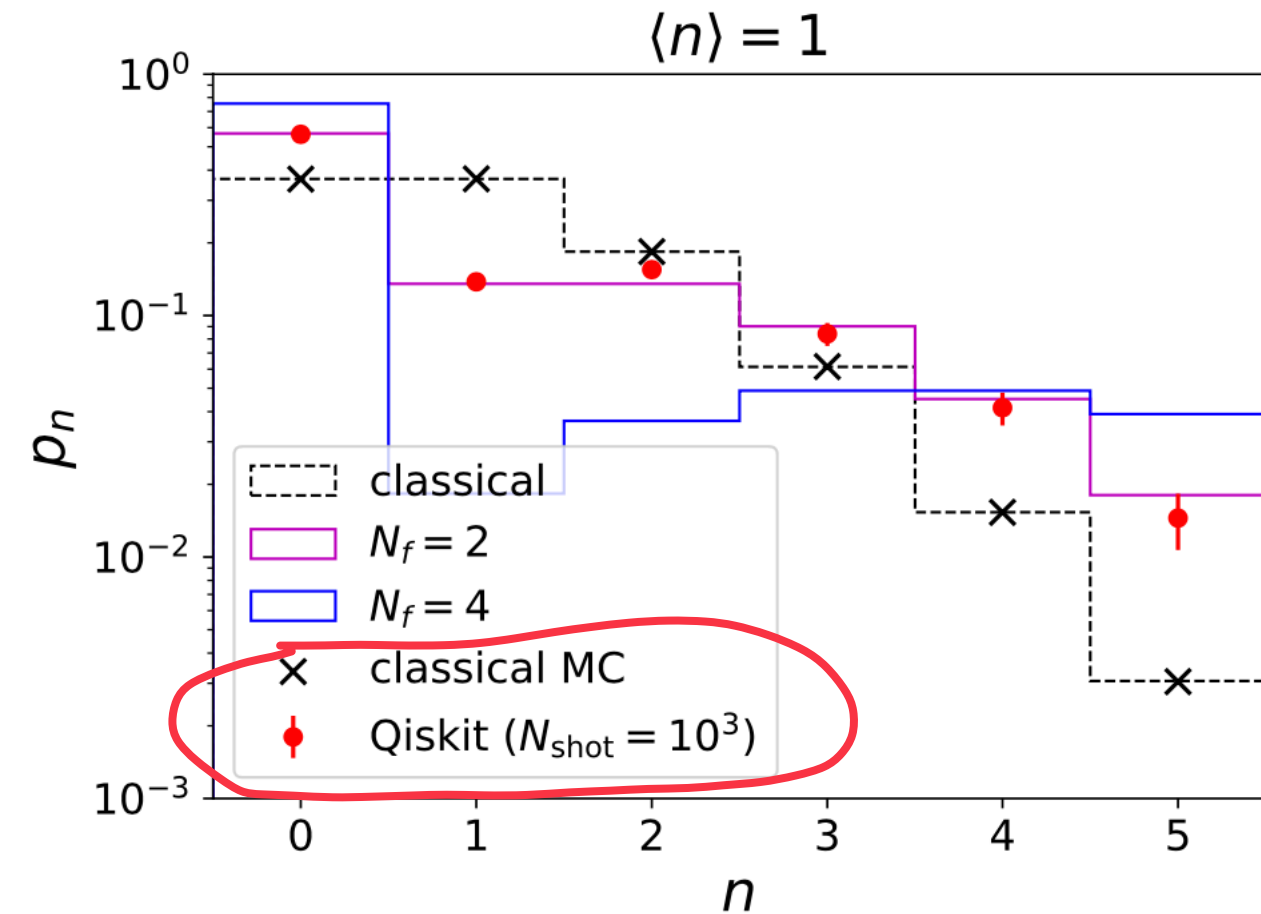
measure # of δ'

Results

$$(\alpha'_1, \alpha'_2) \approx (0.35, 0)$$



Results



huge enhancements for p_n with n large!!
(but $\langle n \rangle$ the same for cases above)

Summary

- Dark Photon ^{γ'} + Dark Fermion ^{χ}
 \rightsquigarrow Dark Sector Jets 😊
- Quantum Interference among flavors
 studied by quantum algorithm
 quantum simulator
 \rightsquigarrow enhancement for
 many- γ' events 😊😊

Outlook

- Incorporate kinematics
- More detailed model building
- Simulations and error mitigations
on real quantum devices
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